

Commenced Publication in 1973

Founding and Former Series Editors:

Gerhard Goos, Juris Hartmanis, and Jan van Leeuwen

Editorial Board

David Hutchison, UK

Josef Kittler, UK

Friedemann Mattern, Switzerland

Moni Naor, Israel

Bernhard Steffen, Germany

Doug Tygar, USA

Takeo Kanade, USA

Jon M. Kleinberg, USA

John C. Mitchell, USA

C. Pandu Rangan, India

Demetri Terzopoulos, USA

Gerhard Weikum, Germany

Advanced Research in Computing and Software Science

Subline of Lecture Notes in Computer Science

Subline Series Editors

Giorgio Ausiello, *University of Rome 'La Sapienza', Italy*

Vladimiro Sassone, *University of Southampton, UK*

Subline Advisory Board

Susanne Albers, *TU Munich, Germany*

Benjamin C. Pierce, *University of Pennsylvania, USA*

Bernhard Steffen, *University of Dortmund, Germany*

Deng Xiaotie, *City University of Hong Kong*

Jeannette M. Wing, *Microsoft Research, Redmond, WA, USA*

More information about this series at <http://www.springer.com/series/7407>

Evangelos Kranakis · Gonzalo Navarro
Edgar Chávez (Eds.)

LATIN 2016: Theoretical Informatics

12th Latin American Symposium
Ensenada, Mexico, April 11–15, 2016
Proceedings

Editors

Evangelos Kranakis
Carleton University
Ottawa, ON
Canada

Gonzalo Navarro
University Chile
Santiago
Chile

Edgar Chávez
Centro de Investigación Científica
de Educación Superior de Ensenada
Ensenada
Mexico

ISSN 0302-9743 ISSN 1611-3349 (electronic)
Lecture Notes in Computer Science
ISBN 978-3-662-49528-5 ISBN 978-3-662-49529-2 (eBook)
DOI 10.1007/978-3-662-49529-2

Library of Congress Control Number: 2016932342

LNCS Sublibrary: SL1 – Theoretical Computer Science and General Issues

© Springer-Verlag Berlin Heidelberg 2016

This work is subject to copyright. All rights are reserved by the Publisher, whether the whole or part of the material is concerned, specifically the rights of translation, reprinting, reuse of illustrations, recitation, broadcasting, reproduction on microfilms or in any other physical way, and transmission or information storage and retrieval, electronic adaptation, computer software, or by similar or dissimilar methodology now known or hereafter developed.

The use of general descriptive names, registered names, trademarks, service marks, etc. in this publication does not imply, even in the absence of a specific statement, that such names are exempt from the relevant protective laws and regulations and therefore free for general use.

The publisher, the authors and the editors are safe to assume that the advice and information in this book are believed to be true and accurate at the date of publication. Neither the publisher nor the authors or the editors give a warranty, express or implied, with respect to the material contained herein or for any errors or omissions that may have been made.

Printed on acid-free paper

This Springer imprint is published by SpringerNature
The registered company is Springer-Verlag GmbH Berlin Heidelberg

Preface

This volume contains the papers presented at the 12th Latin American Theoretical Informatics Symposium (LATIN 2016) held during April 11–15, 2016, in Ensenada, Mexico. Previous editions of LATIN took place in Sao Paulo, Brazil (1992), Valparaiso, Chile (1995), Campinas, Brazil (1998), Punta del Este, Uruguay (2000), Cancun, Mexico (2002), Buenos Aires, Argentina (2004), Valdivia, Chile (2006), Buzios, Brazil (2008), Oaxaca, Mexico (2010), Arequipa, Peru (2012), and Montevideo, Uruguay (2014).

The conference received 131 submissions from around the world. Each submission was reviewed by at least three Program Committee members, and carefully evaluated on quality, originality, and relevance to the conference. Committee members wrote the reviews with the help of additional external referees. Based on an extensive electronic discussion, the committee selected 52 papers. In addition to the accepted contributions, the symposium featured distinguished lectures by Jin Akiyama (Tokyo University of Science), Allan Borodin (University of Toronto), José Correa (University of Chile), Alan Frieze (Carnegie Mellon University), and Héctor García-Molina (Stanford University).

The Imre Simon Test-of-Time Award started in 2012 and is given to the authors of the LATIN paper deemed to be most influential among all those published at least ten years prior to the current edition of the conference. Papers published in the LATIN proceedings up to and including 2006 were eligible for the 2016 award. This year the winner was Alistair Sinclair for his paper “Improved Bounds for Mixing Rates of Marked Chains and Multicommodity Flow,” which appeared in LATIN 1992. This year the award was partially supported by Springer.

Many people helped to make LATIN 2016 possible. First, we would like to recognize the outstanding work of the members of the Program Committee. Their commitment contributed to a very detailed discussion on each of the submitted papers. The LATIN Steering Committee offered valuable advice and feedback; the conference benefitted immensely from their knowledge and experience.

The main organizer of the conference was the Centro de Investigación Científica y de Educación Superior de Ensenada (CICESE), located in northern Mexico. The conference was financially supported by CONACyT, CICESE, and the Mexican Mathematical Society. We are grateful for the facilities provided by EasyChair for paper evaluation and the preparation of the volume.

April 2016

Evangelos Kranakis
Gonzalo Navarro
Edgar Chávez

The Imre Simon Test-of-Time Award

For many fundamental sampling problems, the best and often the only known approach to solving them is to take a long enough random walk on a certain Markov chain and then return to the current state of the chain. Techniques to prove how long “long enough” is, i.e., the number of steps in the chain one needs to take in order to be sufficiently close to its stationary distribution, are crucial in obtaining estimates of running times of such sampling algorithms.

The mixing time of a Markov chain is quite tightly captured by the “spectral gap” of its underlying transition matrix. The spectral gap is closely related to a geometric parameter called “conductance,” which is a measure of the edge-expansion of the Markov chain. Conductance also captures the mixing time up to square factors. Lower bounds on conductance, which give upper bounds on the mixing time, are typically obtained by a technique called “canonical paths” where the idea is to find a set of paths, one between every unequal source-destination pair, such that no edge is very heavily congested.

The method of canonical paths for bounding mixing time was introduced by Sinclair and Jerrum (1989), and then further developed by Diaconis and Stroock (1991). However, the canonical paths approach cannot always show rapid mixing of a rapidly mixing chain. In his LATIN 1992 paper, Sinclair establishes that this “drawback” disappears if one allows flow between a pair of states to be spread along multiple paths. Moreover, solutions to this multi-commodity flow problem are shown to capture the mixing rate closely. Thus, under fairly general conditions, we now know that a Markov chain is rapidly mixing if and only if it supports multicommodity flows of low cost.

In considering Sinclair’s paper for the award, the selection committee was especially impressed by the elegance of the proposed technique, the quality of presentation, its general applicability, and its widespread recognition throughout the literature. This LATIN 1992 paper and its journal version (in the first volume of *Combinatorics, Probability and Computing*) has over 415 citations in Google Scholar. The areas that this paper has influenced include Markov chain Monte Carlo algorithms, random graphs, flows on graphs, approximation algorithms, statistical physics, and communication complexity, among others.

For all these reasons the committee selects “Improved Bounds for Mixing Rates of Markov Chains and Multicommodity Flow” by Alistair Sinclair (LATIN 1992, LNCS 583, 474–487) as the LATIN 2016 winner of the Imre Simon Test-of-Time Paper Award.

Michael Bender
Marcos Kiwi
Daniel Panario

Organization

Program Committee

Dimitris Achlioptas	UC Santa Cruz, USA
Amihoud Amir	Bar-Ilan University, Israel and Johns Hopkins University, USA
Djamal Belazzougui	University of Helsinki, Finland
Michael Bender	Stony Brook University, USA
Edgar Chávez	CICESE, Mexico
Josep Diaz	UPC Barcelona, Spain
Martin Farach-Colton	Rutgers University, USA
Cristina Fernandes	University of São Paulo, Brazil
Esteban Feuerstein	University of Buenos Aires, Argentina
Fedor Fomin	University of Bergen, Norway
Leszek Gasieniec	University of Liverpool, UK
Joachim von zur Gathen	University of Bonn, Germany
Konstantinos Georgiou	Ryerson University, Canada
Roberto Grossi	University of Pisa, Italy
Giuseppe F. Italiano	University of Rome Tor Vergata, Italy
Christos Kaklamanis	University of Patras, Greece and CTI, The Netherlands
Marcos Kiwi	University of Chile, Chile
Evangelos Kranakis	Carleton University, Canada
Danny Krizanc	Wesleyan University, USA
Gregory Kucherov	CNRS/LIGM, France
Gad M. Landau	University of Haifa, Israel and NYU-Poly, USA
Lucia Moura	University of Ottawa, Canada
J. Munro	University of Waterloo, Canada
Lata Narayanan	Concordia University, Canada
Gonzalo Navarro	University of Chile, Chile
Yakov Nekrich	University of Waterloo, Canada
Jaroslav Opatrny	Concordia University, Canada
Daniel Panario	Carleton University, Canada
Pablo Pérez-Lantero	University of Valparaíso, Chile
Sergio Rajsbaum	National Autonomous University of Mexico, Mexico
Rajeev Raman	University of Leicester, UK
Ivan Rapaport	University of Chile, Chile
Jose Rolim	University of Geneva, Switzerland
Gelasio Salazar	Autonomous University of San Luis Potosí, Mexico
Nicola Santoro	Carleton University, Canada
Subhash Suri	UC Santa Barbara, USA

Dimitrios Thilikos	AIGCo project, CNRS, LIRMM, France and National and Kapodistrian University of Athens, Greece
Jorge Urrutia	National Autonomous University of Mexico, Mexico
Peter Widmayer	ETH Zurich, Switzerland

Additional Reviewers

Alekseyev, Max	Daigle, Alexandre	Kammer, Frank
Alistarh, Dan	De Beaudrap, Jonathan	Karakostas, George
Alon, Noga	De Marco, Gianluca	Kempa, Dominik
Alonso, Laurent	de Pina, José Coelho	Klein, Rolf
Alvarez, Carme	Diez Donoso, Yago	Koivisto, Mikko
Ambainis, Andris	Dokka, Trivikram	Kolay, Sudeshna
Amit, Mika	Duch, Amalia	Kolliopoulos, Stavros
Aspnes, James	Durocher, Stephane	Komusiewicz, Christian
Bampas, Evangelos	Dürr, Christoph	Korman, Matias
Bampis, Evripidis	El-Zein, Hicham	Kostitsyna, Irina
Bansal, Nikhil	Eppstein, David	Kowalik, Lukasz
Baste, Julien	Escoffier, Bruno	Kuszner, Lukasz
Bodini, Oliver	Feijao, Pedro	Kärkkäinen, Juha
Bohmova, Katerina	Fischer, Johannes	Laber, Eduardo
Bonomo, Flavia	Fotakis, Dimitris	Lamprou, Ioannis
Bravo, Mario	Freedman, Ofer	Lee, Orlando
Brazdil, Tomas	Gagie, Travis	Lewenstein, Noa
Bringmann, Karl	Ganian, Robert	Lin, Min Chih
Broutin, Nicolas	García-Colín, Natalia	Liu, Chih-Hung
Bus, Norbert	Gawrychowski, Pawel	Löffler, Maarten
Buss, Sam	Geissmann, Barbara	Maack, Marten
Butman, Ayelet	Gekman, Efraim	Madry, Aleksander
Bärtschi, Andreas	Gelashvili, Rati	Mamagishvili, Akaki
Cao, Yixin	Giakkoupis, George	Maneth, Sebastian
Carvajal, Rodolfo	Giannopoulou, Archontia	Maniatis, Spyridon
Chan, Timothy M.	Gonzalez-Aguilar, Hernan	Marengo, Javier
Chandran, L. Sunil	Grabowski, Szymon	Marino, Andrea
Chechik, Shiri	Graf, Daniel	Martínez-Viademonte, Javier
Cheng, Siu-Wing	Grant, Oliver	Mastrolilli, Monaldo
Chitnis, Rajesh	Grzesik, Andrzej	Mayer, Tyler
Cicalese, Ferdinando	Hagerup, Torben	Mayr, Richard
Conte, Alessio	Hemaspaandra, Lane	Mccauley, Samuel
Conway, Alexander	Henning, Gabriela	Mcconnell, Ross
Cording, Patrick Hagge	Hernández-Vélez, César	Mignot, Ludovic
Crochemore, Maxime	Hwang, Hsien-Kuei	Misra, Neeldhara
Cygan, Marek	Jansen, Bart M.P.	Mitsou, Valia
Dabrowski, Konrad	Jež, Artur	

Mnich, Matthias	Prencipe, Giuseppe	Subramanya, Vijay
Moisset de Espanes, Pablo	Pruhs, Kirk	Suchan, Karol
Montanari, Sandro	Pröger, Tobias	Sulzbach, Henning
Montealegre, Pedro	Puleo, Gregory	Suomela, Jukka
Moreno, Eduardo	Radoszewski, Jakub	Svensson, Ola
Moura, Arnaldo	Rampersad, Narad	Ta-Shma, Amnon
Moysoglou, Yannis	Raymond, Jean-Florent	Talbot, Jean-Marc
Mozes, Shay	Rigo, Michel	Tani, Seiichiro
Nebel, Markus	Rojas, Javiel	Thraves Caro, Christopher
Nekrich, Yakov	Rozenberg, Liat	Todincea, Ioan
Nicaud, Cyril	Rubinstein, Aviad	Tschager, Thomas
Nikoletseas, Sotiris	Sach, Benjamin	Turowski, Krzysztof
Nimbhorkar, Shriram	Salikhov, Kamil	Unger, Luise
Nishimura, Naomi	Saptharishi, Ramprasad	Valicov, Petru
Nisse, Nicolas	Sau, Ignasi	Versari, Luca
Ota, Takahiro	Sauerwald, Thomas	Verschae, José
Panholzer, Alois	Saurabh, Saket	Vialette, Stéphane
Panolan, Fahad	Schabanel, Nicolas	Viglietta, Giovanni
Papadopoulos, Charis	Schmitz, Sylvain	Wahlström, Magnus
Pardini, Giovanni	Schouery, Rafael	Wakabayashi, Yoshiko
Parotsidis, Nikos	Schutt, Andreas	Weimann, Oren
Pedrosa, Lehlton L.C.	Serna, Maria	Weinberg, S. Matthew
Peleg, David	Sitters, Rene	Xavier, Eduardo
Pelsmajer, Michael	Soltys, Michael	Xiao, Mingyu
Pietrzak, Krzysztof	Sorenson, Jonathan	Yang, Siwei
Pilz, Alexander	Stojakovic, Milos	Zabala, Paula
Pizaña, Miguel	Strejilevich de Loma,	Zhang, Shaojie
Ponty, Yann	Alejandro	Zito, Michele
Popa, Alexandru	Strømme, Torstein	Ziv-Ukelson, Michal

Abstracts

Reversible Figures and Solids

Jin Akiyama and Kiyoko Matsunaga

Tokyo University of Science
1-3 Kagurazaka, Shinjuku, Tokyo 162-8601, Japan
ja@jin-akiyama.com

An example of reversible (or hinge inside-out transformable) figures is Dudeney's Haberdasher's puzzle in which an equilateral triangle is dissected into four pieces, hinged like a chain, and then is transformed into a square by rotating the hinged pieces. Furthermore, the entire boundary of each figure goes into the inside of the other figure and becomes the dissection lines of the figure. Many intriguing results on reversibilities of figures have been found in the preceding research, but most of them are results on polygons. We generalize those results to general connected figures. It is shown that two nets obtained by cutting the surface of an arbitrary convex polyhedron along non-interesting dissection trees are reversible. Moreover, we generalize reversibility for 2D-figures to one for 3D-solids.

Definition (Reversible figures). A pair of hinged figures P and Q is said to be *reversible* (or *hinge inside-out transformable*) if P and Q satisfy the following conditions:

1. There exists a dissection of P into finite number of pieces $P_1, P_2, P_3, \dots, P_n$. A set of dissection lines or curves forms a tree. Such a tree is called a *dissection tree*.
2. Pieces $P_1, P_2, P_3, \dots, P_n$ can be joined by $n - 1$ hinges on the perimeter of P like a chain.
3. If one of the end-pieces of the chain is fixed and rotated, then the remaining pieces form Q when rotated clockwise and P when rotated counterclockwise.
4. The entire boundary of P goes into the inside of Q and the entire boundary of Q is composed of the edges of the dissection tree only.

Definition (trunk T , conjugate trunk T' , (T, T') -chain). A trunk of P is a special kind of an inscribed region T of P . First, cut out an inscribed region T from P . For $i = 1, 2, \dots, n$, let e_i be the perimeter part of T joining two vertices v_{i-1} and v_i of T , where $v_0 = v_n$. Denote by P_i the piece located outside of T that contains the perimeter part e_i . Some P_i may be empty (or just a part e_i). Then, hinge each pair P_i and P_{i+1} at their common vertex v_i for $(1 \leq i \leq n - 1)$; this gives us a chain of pieces P_i ($i = 1, 2, \dots, n$) of P . A chain and T are called a (T, T') -chain of P , a trunk of P , respectively, if an appropriate rotation of the chain forms T' , which is one of the conjugate regions of T with all the pieces P_i packed inside T' without overlaps or gaps. T' is called a *conjugate trunk* of P .

Theorem A (Reversible Transformation between Figures). Let P be a figure with a trunk T and conjugate trunk T' , and let Q have a trunk T' and conjugate trunk T . Then P is reversible to Q .

Theorem B (Reversible Transformation Between Nets of a Polyhedron). Let P be a polyhedron with n vertices v_1, v_2, \dots, v_n and for $i = 1, 2$ let D_i be the dissection trees on the surface of P . Denote by N_i ($i = 1, 2$) the nets of P obtained by cutting P along D_i ($i = 1, 2$), respectively. If D_1 and D_2 don't intersect other than at the vertices of P , then a pair of nets N_1 and N_2 is reversible.

Theorem C. For any net N_1 of a polyhedron P with n vertices, there exist infinity many nets N_2 of P such that N_1 is reversible to N_2 .

Theorem D. For any polyhedron P , there exist infinitely many pairs of non-self-overlapping nets of P that are reversible.

Theorem E (Reversible Transformation Between Nets of an Isotetrahedron). Let D_1 be an arbitrary dissection tree of an isotetrahedron T . Then there exists a dissection tree D_2 of T , which does not intersect D_1 other than vertices of T . A pair of nets N_i ($i = 1, 2$) obtained by cutting along D_i is reversible, and each N_i tiles the plane.

Definition (Reversible solids). A pair of solids P, Q is said to be *hinge inside-out transformable* (or simply *reversible*) if P and Q satisfy these conditions:

- (a) The solid P is dissected into several pieces by planes. Such a plane is called a *dissection* (or *cutting*) *plane*.
- (b) The pieces are joined by piano hinges into a tree.
- (c) If the pieces of P are reassembled inside out, you will get a solid Q .

We found a lot of reversible pairs of solids by using two different methods: the “chimera superimposition method” and “double-reversal-plates method”.

Definition ((P, Q) -chimera superimposition). For a tessellative solid P , let $T(P)$ denote a tessellation by copies of P . A superimposition of $T(P)$ and $T(Q)$ is called a (P, Q) -chimera superimposition if $T(P)$ and $T(Q)$ satisfy these conditions:

1. Each copy of P in $T(P)$ is dissected into the same collection of pieces P_1, P_2, \dots, P_n by faces of copies of Q .
2. Each copy of Q in $T(Q)$ is dissected into the same collection of pieces Q_1, Q_2, \dots, Q_n by faces of copies of P .
3. P_i can be transferred to Q_i by rotations and translations for all $i = 1, 2, \dots, n$ (by reordering Q_1, Q_2, \dots, Q_n appropriately).

Theorem 1. A (P, Q) -chimera superimposition of $T(P)$ and $T(Q)$ gives dissection planes such that P is reversible to Q .

Definition (Double-reversal-plates). A solid P is said a *double-reversal-plates solid* of T if P satisfies these conditions:

1. P contains an inscribed polyhedron T with n faces.
2. T is decomposed into n solids T_i ($i = 1, 2, \dots, n$) each of which has one face f_i of P . If each T_i is glued on the face f_i of T , then the resultant solid is identical with P . Such an inscribed polyhedron T is called a *trunk* of P .

One example of double-reversal-plates solids is a rhombic dodecahedron. A rhombic dodecahedron P contains an inscribed cube T and the cube T can be decomposed into 6 congruent square pyramids T_i , each of which has one face f_i of T . A rhombic dodecahedron P can be constructed by putting a congruent square pyramid T on each face of a cube T .

Theorem 2. A pair of solids P and Q is reversible if both P and Q contain the identical trunk (inscribed polyhedron) T and are double-reversal-plates solids of T .

Theorem 3. A parallelohedron π is called *canonical* if it is axis-symmetric with respect to an orthogonal coordinate system, where the origin of the system is located at the center of π . Every canonical parallelohedron $S_i \in F_i$ ($i = 1, 2, \dots, 5$) is reversible to the same canonical parallelohedron $S_i' \in F_i$. Moreover, for every canonical parallelohedron $S_{ij} \in F_i$ ($i = 1, 2, \dots, 5$) there exists a canonical parallelohedron $S_{ji} \in F_j$ ($j = 1, 2, \dots, 5$) such that S_{ij} is reversible to S_{ji} .

Simplicity Is in Vogue (again)

Allan Borodin

Abstract. Throughout history there has been an appreciation of the importance of simplicity in the arts and sciences. In the context of algorithm design, and in particular in approximation algorithms and algorithmic game theory, the importance of simplicity is currently very much in vogue. I will present some examples of the current interest in the design of “simple algorithms”. And what is a simple algorithm? Is it just “you’ll know it when you see it”, or can we benefit from some precise models in various contexts?

Subgame Perfect Equilibrium: Computation and Efficiency

José Correa

Department of Industrial Engineering, Universidad de Chile

The concept of Subgame Perfect Equilibrium (SPE) naturally arises in games which are played sequentially. In a simultaneous game the natural solution concept is that of a Nash equilibrium in which no player has an incentive to unilaterally deviate from her current strategy. However, if the game is played sequentially, i.e., there is a prescribed order in which the players make their moves, an SPE is a situation in which all players anticipate the full strategy of all other players contingent on the decisions of previous players. Although most research in algorithmic game theory has been devoted to understand properties of Nash equilibria including its computation and the so-called *price of anarchy* in recent years there has been an interest in understanding the computational properties of SPE and its corresponding efficiency measure, the *sequential price of anarchy*.

In this talk we will review some of these recent results putting particular emphasis on a very basic game, namely that of atomic selfish routing in a network [1–6]. In particular we will discuss some hardness results such as the PSPACE-completeness of computing an SPE and its NP-hardness even when the number of players is fixed to two. We will also see that for interesting classes of games SPE avoid worst case Nash equilibria, resulting in substantial improvements for the price of anarchy. However, for the atomic network routing games with linear latencies, where the price of anarchy has long been known to be equal to $5/2$, we prove that the sequential price of anarchy is not bounded by any constant and can be as large as $\Omega(\sqrt{n})$, with n being the number of players.

References

1. Bhawalkar, K., Gairing, M., Roughgarden, T.: Weighted congestion games: the price of anarchy, universal worst-case examples, and tightness. *ACM Trans. Econ. Comput.* **2**(4), 14 (2014)
2. Bilo, V., Flammini, M., Monaco, G., Moscardelli, L.: Some anomalies of farsighted strategic behavior. In: WAOA 2012
3. Correa, J., de Keijzer, B., de Jong, J., Uetz, M.: The curse of sequentiality in routing games. In: WINE 2015

4. de Jong, J., Uetz, M.: The sequential price of anarchy for atomic congestion games. In: WINE 2014
5. Milchtaich, I.: Crowding games are sequentially solvable. *Int. J. Game Theory* **27**, 501–509 (1998)
6. Paes Leme, R., Syrgkanis, V., Tardos, É.: The curse of simultaneity. In: ITCS 2012

Buying Stuff Online

Alan Frieze and Wesley Pegden

Abstract. Suppose there is a collection x_1, x_2, \dots, x_N of independent uniform $[0, 1]$ random variables, and a hypergraph \mathcal{F} of *target structures* on the vertex set $\{1, \dots, N\}$. We would like to buy a target structure at small cost, but we do not know all the costs x_i ahead of time. Instead, we inspect the random variables x_i one at a time, and after each inspection, choose to either keep the vertex i at cost x_i , or reject vertex i forever.

In the present paper, we consider the case where $\{1, \dots, N\}$ is the edge-set of some graph, and the target structures are the spanning trees of a graph; the spanning arborescences of a digraph; the Hamilton cycles of a graph; the perfect matchings of a graph; the paths between a fixed pair of vertices; or the cliques of some fixed size.

Data Crowdsourcing: Is It for Real?

Hector Garcia-Molina

Abstract. Crowdsourcing refers to performing a task using human workers that solve sub-problems that arise in the task. In this talk I will give an overview of crowdsourcing, focusing on how crowdsourcing can help traditional data processing and analysis tasks. I will also give a brief overview of some of the crowdsourcing research we have done at the Stanford University InfoLab.

Contents

A Faster FPT Algorithm and a Smaller Kernel for BLOCK GRAPH VERTEX DELETION	1
<i>Akanksha Agrawal, Sudeshna Kolay, Daniel Lokshantov, and Saket Saurabh</i>	
A Middle Curve Based on Discrete Fréchet Distance.	14
<i>Hee-Kap Ahn, Helmut Alt, Maike Buchin, Eunjin Oh, Ludmila Scharf, and Carola Wenk</i>	
Comparison-Based FIFO Buffer Management in QoS Switches.	27
<i>Kamal Al-Bawani, Matthias Englert, and Matthias Westermann</i>	
Scheduling on Power-Heterogeneous Processors	41
<i>Susanne Albers, Evripidis Bampis, Dimitrios Letsios, Giorgio Lucarelli, and Richard Stotz</i>	
Period Recovery over the Hamming and Edit Distances.	55
<i>Amihoud Amir, Mika Amit, Gad M. Landau, and Dina Sokol</i>	
Chasing Convex Bodies and Functions	68
<i>Antonios Antoniadis, Neal Barcelo, Michael Nugent, Kirk Pruhs, Kevin Schewior, and Michele Scquizzato</i>	
Parameterized Lower Bounds and Dichotomy Results for the NP-completeness of H -free Edge Modification Problems	82
<i>N.R. Aravind, R.B. Sandeep, and Naveen Sivadasan</i>	
Parameterized Complexity of RED BLUE SET COVER for Lines	96
<i>Pradeesha Ashok, Sudeshna Kolay, and Saket Saurabh</i>	
Tight Bounds for Beacon-Based Coverage in Simple Rectilinear Polygons. . .	110
<i>Sang Won Bae, Chan-Su Shin, and Antoine Vigneron</i>	
On Mobile Agent Verifiable Problems	123
<i>Evangelos Bampas and David Ilcinkas</i>	
Computing Maximal Layers of Points in $E^{f(n)}$	138
<i>Indranil Banerjee and Dana Richards</i>	
On the Total Number of Bends for Planar Octilinear Drawings.	152
<i>Michael A. Bekos, Michael Kaufmann, and Robert Krug</i>	

Bidirectional Variable-Order de Bruijn Graphs	164
<i>Djamal Belazzougui, Travis Gagie, Veli Mäkinen, Marco Previtali, and Simon J. Puglisi</i>	
The Read/Write Protocol Complex Is Collapsible	179
<i>Fernando Benavides and Sergio Rajsbaum</i>	
The I/O Complexity of Computing Prime Tables	192
<i>Michael A. Bender, Rezaul Chowdhury, Alexander Conway, Martín Farach-Colton, Pramod Ganapathi, Rob Johnson, Samuel McCauley, Bertrand Simon, and Shikha Singh</i>	
Increasing Diamonds	207
<i>Olivier Bodini, Matthieu Dien, Xavier Fontaine, Antoine Genitrini, and Hsien-Kuei Hwang</i>	
Scheduling Transfers of Resources over Time: Towards Car-Sharing with Flexible Drop-Offs.	220
<i>Kateřina Böhmová, Yann Disser, Matúš Mihalák, and Rastislav Šrámek</i>	
A 0.821-Ratio Purely Combinatorial Algorithm for Maximum k -vertex Cover in Bipartite Graphs	235
<i>Édouard Bonnet, Bruno Escoffier, Vangelis Th. Paschos, and Georgios Stamoulis</i>	
Improved Spanning Ratio for Low Degree Plane Spanners	249
<i>Prosenjit Bose, Darryl Hill, and Michiel Smid</i>	
Constructing Consistent Digital Line Segments	263
<i>Iffat Chowdhury and Matt Gibson</i>	
Faster Information Gathering in Ad-Hoc Radio Tree Networks	275
<i>Marek Chrobak and Kevin P. Costello</i>	
Stabbing Circles for Sets of Segments in the Plane	290
<i>Mercè Claverol, Elena Khramtcova, Evanthia Papadopoulou, Maria Saumell, and Carlos Seara</i>	
Faster Algorithms to Enumerate Hypergraph Transversals	306
<i>Manfred Cochefert, Jean-François Couturier, Serge Gaspers, and Dieter Kratsch</i>	
Listing Acyclic Orientations of Graphs with Single and Multiple Sources. . . .	319
<i>Alessio Conte, Roberto Grossi, Andrea Marino, and Romeo Rizzi</i>	
Linear-Time Sequence Comparison Using Minimal Absent Words & Applications	334
<i>Maxime Crochemore, Gabriele Fici, Robert Mercas, and Solon P. Pissis</i>	

The Grandmama de Bruijn Sequence for Binary Strings. 347
Patrick Baxter Dragon, Oscar I. Hernandez, and Aaron Williams

Compressing Bounded Degree Graphs 362
Pål Grønås Drange, Markus Dregi, and R.B. Sandeep

Random Partial Match in Quad- K - d Trees 376
A. Duch, G. Lau, and C. Martínez

From Discrepancy to Majority 390
David Eppstein and Daniel S. Hirschberg

On the Planar Split Thickness of Graphs 403
*David Eppstein, Philipp Kindermann, Stephen Kobourov,
Giuseppe Liotta, Anna Lubiw, Aude Maignan, Debajyoti Mondal,
Hamideh Vosoughpour, Sue Whitesides, and Stephen Wismath*

A Bounded-Risk Mechanism for the Kidney Exchange Game. 416
Hossein Esfandiari and Guy Kortsarz

Tight Approximations of Degeneracy in Large Graphs. 429
Martín Farach-Colton and Meng-Tsung Tsai

Improved Approximation Algorithms for Capacitated Fault-Tolerant
 k -Center. 441
Cristina G. Fernandes, Samuel P. de Paula, and Lehilton L.C. Pedrosa

Bundled Crossings in Embedded Graphs 454
Martin Fink, John Hershberger, Subhash Suri, and Kevin Verbeek

Probabilistic Analysis of the Dual Next-Fit Algorithm for Bin Covering 469
Carsten Fischer and Heiko Röglin

Deterministic Sparse Suffix Sorting on Rewritable Texts 483
Johannes Fischer, Tomohiro I., and Dominik Köppl

Minimizing the Number of Opinions for Fault-Tolerant Distributed
Decision Using Well-Quasi Orderings 497
Pierre Fraigniaud, Sergio Rajsbaum, and Corentin Travers

Unshuffling Permutations 509
Samuele Giraudo and Stéphane Vialette

Generating Random Spanning Trees via Fast Matrix Multiplication. 522
Nicholas J.A. Harvey and Keyulu Xu

Routing in Unit Disk Graphs 536
Haim Kaplan, Wolfgang Mulzer, Liam Roditty, and Paul Seiferth

Graph Drawings with One Bend and Few Slopes	549
<i>Kolja Knauer and Bartosz Walczak</i>	
Edge-Editing to a Dense and a Sparse Graph Class	562
<i>Michal Kotrbčík, Rastislav Královič, and Sebastian Ordyniak</i>	
Containment and Evasion in Stochastic Point Data	576
<i>Nirman Kumar and Subhash Suri</i>	
Tree Compression Using String Grammars	590
<i>Moses Ganardi, Danny Hucke, Markus Lohrey, and Eric Noeth</i>	
Trees and Languages with Periodic Signature	605
<i>Victor Marsault and Jacques Sakarovitch</i>	
Rank Reduction of Directed Graphs by Vertex and Edge Deletions	619
<i>Syed Mohammad Meesum and Saket Saurabh</i>	
New Deterministic Algorithms for Solving Parity Games	634
<i>Matthias Mnich, Heiko Röglin, and Clemens Rösner</i>	
Computing a Geodesic Two-Center of Points in a Simple Polygon	646
<i>Eunjin Oh, Sang Won Bae, and Hee-Kap Ahn</i>	
Simple Approximation Algorithms for Balanced MAX 2SAT	659
<i>Alice Paul, Matthias Poloczek, and David P. Williamson</i>	
A Parameterized Algorithm for MIXED-CUT	672
<i>Ashutosh Rai, M.S. Ramanujan, and Saket Saurabh</i>	
$(k, n - k)$ -MAX-CUT: An $\mathcal{O}^*(2^p)$ -Time Algorithm and a Polynomial Kernel . . .	686
<i>Saket Saurabh and Meirav Zehavi</i>	
Independent Set of Convex Polygons: From n^ϵ to $1 + \epsilon$ via Shrinking	700
<i>Andreas Wiese</i>	
Author Index	713