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Symbols

$(D_p^{\text{sym}}, (D_p^{\text{col}}))$	146	$L_p(\mathcal{M})[\ell_\infty^r] = L_p(\mathcal{M}, \varphi)[\ell_\infty^r(I)]$	127
$(I_{p,q}^*, \gamma_{p,q}^*)$	32	$L_p(\mathcal{M})[c_0], L_p(\mathcal{M})[c_0^c], L_p(\mathcal{M})[c_0^r]$	127
(Γ_2, γ_2)	31	$L_p(\mathcal{M}, \tau), L_\infty(\mathcal{M}, \tau) := \mathcal{M}$	84
(Γ_p, γ_p)	31	$L_p(\mu), E = E(\mu)$	19
$(\Gamma_{p,q}, \gamma_{p,q})$	31	M, M^r	57
(Π_p^*, π_p^*)	31	$M^{(r)}(E), M_{(r)}(E)$	69, 85
(Π_p, π_p)	30	R^λ	18
$(\mathcal{A}(X, Y), \alpha)$	29	S_p, S_E	84
$(\mathcal{A} \circ \mathcal{B}, \alpha \circ \beta)$	29	$X \otimes_\pi Y$	32
$(\mathcal{A}^*, \alpha^*)$	29	$X \otimes_\varepsilon Y$	32
$(\mathcal{A}^{\text{dual}}, \alpha^{\text{dual}})$	30	Σ	22
$(\mathcal{I}, \mathfrak{I})$	31	\mathcal{L}	30
$(\mathcal{I}_p, \mathfrak{I}_p)$	31	$\chi_B(x)$	81
(\mathcal{M}, τ)	80	$\ell_1^{\text{unc}}(X), \ell_p^w(X)$	21
$(\theta_t(x))_{t \in \mathbb{R}}$	124	$\ell_p(\Omega), \ell_p^n, \ell_p(X), \ell_p^n(X)$	19
A^p	18	$\mathfrak{m}_{p,q}(A)$	22
A_n^r	17	\mathcal{M}	80
C^r, C	18	$\mathcal{M} \otimes_p^\alpha \ell_\infty^n, \mathcal{M} \tilde{\otimes}_p^\alpha \ell_\infty^n$	151, 154
D	126	\mathcal{M}_*	80
$E(X) = E(\mu, X)$	19	$\mathcal{M}_{\text{proj}}$	80
$E(X)[\ell_\infty] = E(\mu, X)[\ell_\infty(I)]$	19	$\mathcal{R} := \mathcal{M} \rtimes_\sigma \mathbb{R}$	124
$E(X)[c_0] = E(\mu, X)[c_0(I)]$	20	$\text{dom}(a)$	80
$E(\mathcal{M})[\ell_\infty^c] = E(\mathcal{M}, \tau)[\ell_\infty^c(I)]$	87	$\text{range}(a)$	80
$E(\mathcal{M})[\ell_\infty^c] = E(\mathcal{M}, \tau)[\ell_\infty^c(I)]$	87	$\mu_t(x)$	82
$E(\mathcal{M})[\ell_\infty^{r+c}] = E(\mathcal{M}, \tau)[\ell_\infty^{r+c}(I)]$	87	$\mu_{p,q}(M)$	62
$E(\mathcal{M})[\ell_\infty] = E(\mathcal{M}, \tau)[\ell_\infty(I)]$	87	π	32
$E(\mathcal{M})[c_0^c], E(\mathcal{M})[c_0^r], E(\mathcal{M})[c_0^{r+c}]$	93	$\sigma = (\sigma_t^g)_{t \in \mathbb{R}}$	124
$E(\mathcal{M})[c_0]$	93	$\tau : \mathcal{M}_{\geq 0} \rightarrow [0, \infty]$	80
$E(\mathcal{M}, \tau)$	83	tr	29, 125
K_G, K_{LG}	32	ε	32
$L_0(\mathcal{M}, \tau)$	82	$c_0(I), c_0$	20
$L_0(\mathcal{R}, \tau)$	124	e_λ^*	81
$L_p(X) = L_p(\mu, X)$	19	$r(a)$	80
$L_p(\mathcal{M})[\ell_\infty] = L_p(\mathcal{M}, \varphi)[\ell_\infty(I)]$	126	$w_p((x_k)) = w_p((x_k), X)$	21
$L_p(\mathcal{M})[\ell_\infty^c] = L_p(\mathcal{M}, \varphi)[\ell_\infty^c(I)]$	127		

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