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Outline of Lectures at St. Flour

1. Introduction
2. Particle Sytems and Tightness (II.1-II.4)
3. The Martingale Problem and Non-linear Equation (II.4-II.8)
4. Path Properties of the Support of Super-Brownian Motion (III.1-III.3)
5. Polar Sets (III.5-III.6)
6. Interactive Drifts (IV)
7. Spatial Interactions 1.
   Stochastic Integration on Trees and a Strong Equation (V.1-V.3)
8. Spatial Interactions 2.
   Pathwise Existence & Uniqueness, and the Historical Martingale Problem (V.4-V.5)
9. Interacting Particle Systems 1. The Voter Model
10. Interacting Particle Systems 2. The Contact Process

Note. A working document with Ted Cox and Rick Durrett was distributed to provide background material for lectures 9 and 10.