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- FCT – Fundamentals of Computation Theory
- FOCS – Symp. on Foundations of Computer Science
- LNCS – Lecture Notes in Computer Science
- MFCS – Mathematical Foundations of Computer Science
- STACS – Symp. on Theoretical Aspects of Computer Science
- STOC – Symp. on Theory of Computing

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