

## BIBLIOGRAPHY

This bibliography covers the works directly connected with the topics discussed in these lecture notes. Schaefer [3], Luxemburg and Zaanen [1] contain excellent references on the theory of ordered vector spaces.

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$\ell^1 \langle A, E \rangle$	58	$m_{\infty,2}(A, E)$	67
$L^*(X, Y)$	104	$m_{0,2}^+(A, E)$	69
$L(X, Y)$	105	$m_{0,2}(A, E)$	69
$L^\ell(E, Y)$	106	$M(B, V)$	119
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