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NOTE

1. The moving lattice had a velocity of 1.8°/sec, and moved for the time required for the observer to make a judgment on a given display. The motion of this lattice was accomplished by changing its position 20 times per second. To the experimenters, the motion looked continuous; and none of the pilot or experimental subjects who commented on the displays said anything to indicate that this motion looked discrete or "apparent."

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ERRATUM

Hellström, Å. Factors producing and factors not producing time errors: An experiment with loudness comparisons. *Perception & Psychophysics*, 1978, **23**, 433-444—The last sentence on page 434 should correctly read as follows:

Denoting by Z_1 and Z_2 the standard normal deviates which correspond to the probability P_1 for a judgment to fall in category "1," and the probability P_2 for it to fall in category "2" [i.e., $Z_1 = \Phi^{-1}(P_1)$ and $Z_2 = -\Phi^{-1}(P_2)$], we may note that

$$Z_1 = (D - T - b)/\sigma_c \quad (3)$$

and that

$$Z_2 = (D + T - b)/\sigma_c. \quad (4)$$