ERRATA

**Erratum: “On the Equality of Kolmogorov and Relative Widths
of Classes of Differentiable Functions”
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In our paper, we studied the norms of derivatives of order j of Favard means for the function classes W_C^r , $r > j$.

The results obtained show that, for the least value $M_n(r, j)$ of the multiplier M for which the relative widths $K_n(W_C^r, MW_C^j, C)$ for odd $r - j$ are equal to the Kolmogorov widths $d_n(W_C^r, C)$, the following uniform (with respect to all the parameters) upper bound is valid:

$$M_n(r, j) = \mathcal{K}_{r-j} + O\left(\left(1 + \log \frac{r}{r-j}\right) \frac{1}{m^{r-j}}\right).$$

Contrary to what was said in the paper, its results do not imply any lower bounds for $M_n(r, j)$.