



Erratum

Kazuyuki Oshima: A Spin-Shift Operator of the Multi-particle Ruijsenaars–Schneider Hamiltonian, *Lett. Math. Phys.* **60** (2002), 59–71 (Received: 17 December 2002)

The computation in Proposition 2 is incorrect. Let $\tau(\lambda^\vee) = \pi^k s_{i_1} \dots s_{i_l}$ be a reduced expression. We define the length $\ell(\tau(\lambda^\vee)) := l$. We write $\lambda^\vee < \mu^\vee$ if $\ell(\lambda^\vee) < \ell(\mu^\vee)$.

With this notation established, Equation (27) in Proposition 2 should be replaced by

$$\begin{aligned} & \left\{ \sum_{i=1}^n \prod_{j=1}^{i-1} \frac{a[qx_i, q^{-1}x_j]a[x_j, x_i]}{a[q^{-1}x_j, qx_i]} a[x_i, x_{i+1}] \cdots a[x_i, x_n] \tau(-\omega_{i-1}^\vee + \omega_i^\vee) \right\} \times \\ & \times \left\{ \prod_{i < j} a[x_i, x_j] \sum_{w \in W} \operatorname{sgn}(w) \left(\prod_{s=1}^{n-2} \prod_{i+s < j} a[q^s x_{w(i)}, q^{-s} x_{w(j)}] \tau(w(\rho^\vee)) + \right. \right. \\ & \quad \left. \left. + \sum_{\lambda^\vee < \rho^\vee} G_{\lambda^\vee} \tau(w(\lambda^\vee)) \right) \right\} \\ & = \left\{ \prod_{i < j} a[x_i, x_j] \sum_{w \in W} \operatorname{sgn}(w) \left(\prod_{s=1}^{n-2} \prod_{i+s < j} a[q^s x_{w(i)}, q^{-s} x_{w(j)}] \tau(w(\rho^\vee)) + \right. \right. \\ & \quad \left. \left. + \sum_{\lambda^\vee < \rho^\vee} G_{\lambda^\vee} \tau(w(\lambda^\vee)) \right) \right\} \times \\ & \times \left\{ \sum_{i=1}^n a[x_i, x_1] \cdots a[x_i, x_{i-1}] a[x_i, x_{i+1}] \cdots a[x_i, x_n] \tau(-\omega_{i-1}^\vee + \omega_i^\vee) \right\}, \quad (1) \end{aligned}$$

where G_{λ^\vee} is some meromorphic function in Λ_n .

This leads to the following reformulation of Theorem 1.

THEOREM 1. *The explicit expression of the spin-shift operator D_l for the multi-particle Ruijsenaars–Schneider Hamiltonian is*

$$\begin{aligned} D_l = & \sum_{w \in W} \operatorname{sgn}(w) \left(\prod_{\substack{i < j \\ w(i) > w(j)}} a[x_{w(j)}, x_{w(i)}] a[q^{-1}x_{w(j)}, qx_{w(i)}] \times \right. \\ & \times \prod_{s=1}^{n-2} \prod_{\substack{i+s < j \\ w(i) > w(j)}} a[q^s x_{w(i)}, q^{-s} x_{w(j)}] a[q^{-s-1}x_{w(j)}, q^{s+1}x_{w(i)}] \tau(w(\rho^\vee)) + \\ & \left. + \sum_{\lambda^\vee < \rho^\vee} G_{\lambda^\vee} \tau(w(\lambda^\vee)) \right). \quad (2) \end{aligned}$$

The calculation of G_{λ^\vee} is, to my knowledge, still open.