

## Erratum to: Finite element modelling of forging and other metal forming processes

Jean-Loup Chenot · Lionel Fourment ·  
 Richard Ducloux · Etienne Wey

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Some equations of the article cited above are unfortunately unreadable. Their right expression is as following:

*Page 359, paragraph 2.1, column 1:*

$$\dot{\epsilon} = \dot{\epsilon}^e + \dot{\epsilon}^p \quad (1)$$

$$\frac{d_j \sigma}{dt} = \lambda \text{tr}(\dot{\epsilon}^e) + 2\mu \dot{\epsilon}^e \quad (2)$$

$$\dot{\epsilon}^p = 1 / K \left( (\bar{\sigma} - R) / K \right)^{\frac{1}{m}-1} \sigma' \quad (3)$$

*Then, page 359, paragraph 2.1, from column 1, line 7 to column 2, line 2. The text has to be read as following:*

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J.-L. Chenot (✉) · L. Fourment  
 CEMEF, Mines ParisTech and CNRS UMR7635,  
 B. P. 207,  
 06 904 Sophia-Antipolis, France  
 e-mail: jean-loup.chenot@mines-paristech.fr

R. Ducloux · E. Wey  
 Transvalor S. A.,  
 694, av. du Dr. Maurice Donat,  
 06255 Mougins Cedex, France

“Where  $\dot{\epsilon}^e$  is the elastic strain rate,  $\dot{\epsilon}^p$  the plastic or visco plastic component,  $d_j/dt$  is for the Jauman derivative,  $\lambda$  and  $\mu$  are the Lamé coefficients,  $\sigma'$  is deviatoric stress tensor,  $\bar{\sigma}$  is the usual equivalent stress,  $K$  is the consistency and  $m$  is the strain rate sensitivity.”

*Page 359, paragraph 2.1, column 2:*

$$\dot{X} = 2/3\beta(\partial R/\partial \bar{\epsilon})\dot{\epsilon} \quad (5)$$

*Page 360, paragraph 2.3, column 1:*

$$\int_{\Omega} \sigma' : \dot{\epsilon}^* dV - \int_{\Omega} p \text{div}(v^*) dV - \int_{\partial \Omega_c} \tau v^* dS = 0 \quad (7)$$

$$- \int_{\Omega} (\kappa \text{div}(v) + \dot{p}) p^* dV = 0 \quad (8)$$

*Page 360, paragraph 2.4, column 1 (first equation):*

$$\rho c \frac{dT}{dt} = \text{div}(k \text{grad}(T)) + f_w (\sqrt{3} \dot{\epsilon})^{m+1} \quad (9)$$

*Page 360, paragraph 3.1, column 1:*

$$\dot{\epsilon} = \sum_n \mathbf{V}_n \mathbf{B}_n \quad (11)$$