



# On the Importance of Considering Multinuclear Metal Sites in Homogeneous Catalysis Modeling

Akinobu Matsuzawa<sup>1</sup> · Jeremy N. Harvey<sup>2</sup> · Fahmi Himo<sup>1</sup>

Accepted: 3 September 2021 / Published online: 14 September 2021  
© The Author(s) 2021

## Abstract

In this short review, we provide an account of a number of computational studies of catalytic reaction mechanisms carried out in our groups. We focus in particular on studies in which we came to realize during the course of the investigation that the active catalytic species was a *bimetallic* complex, rather a monometallic one as previously assumed. In some cases, this realization was in part prompted by experimental observations, but careful exploration based on computation of the speciation of the metal precursor also provided a powerful guide: it is often possible to predict that bimetallic species (intermediates or transition states) lie lower in free energy than a priori competitive monometallic species. In this sense, we argue that in organometallic catalysis, the rule whereby “two is better than one” turns out to be relevant much more often than one might expect.

**Keywords** Homogenous catalysis · Quantum chemistry · Density functional theory · Modeling · Binuclear catalyst

## 1 Introduction

Quantum chemistry is nowadays one of the most powerful tools for studying reaction mechanisms in homogeneous catalysis. Improved electronic structure methods and ever faster implementations thereof, together with computers that are more and more powerful mean that the range of problems that can be tackled continues to expand, while at the same time, more accurate results can be obtained for a given level of complexity of the system. As a result, computation is also becoming more and more widely used in mechanistic studies. These developments, as well as many outstanding applications, have been discussed in a number of recent reviews [1–8]. While this ever-larger role for quantum chemistry is welcome in many respects, it should also be borne in mind that such computational studies tend to have

their own challenges that must be carefully considered when assessing the results.

In this account, we wish to address one issue that has arisen a number of times in studies from our two groups, and which we feel is important enough to warrant highlighting as a topic in its own right. We wish to emphasize already here that this is probably not new knowledge to the experienced practitioners. Nevertheless, even though this question is by now well-known to us, we still tend to overlook it on occasion, and believe that this may happen to others also. In that sense, we hope that this essay can serve as a useful reminder of the common nature of this issue.

The problem is one example of the more general problem relating to understanding catalytic reaction mechanisms whereby the active catalyst and/or the most abundant form of the catalyst in the reaction medium are not necessarily the same as the catalyst precursor initially introduced in the reaction vessel. The ‘Halpern paradox’ is a well-known phenomenon [9, 10] in catalysis, whereby the most stable form of the catalyst under reaction conditions does not necessarily contribute to the main turnover cycle (and indeed, in some cases, is likely *not* to, hence the name ‘paradox’). More generally, it quite often occurs that the most stable form of the catalyst differs from the pre-catalyst due to some pre-transformation. The specific topic covered here is an example of the latter case: although many catalysts

✉ Jeremy N. Harvey  
jeremy.harvey@kuleuven.be

✉ Fahmi Himo  
fahmi.himo@su.se

<sup>1</sup> Arrhenius Laboratory, Department of Organic Chemistry, Stockholm University, 10691 Stockholm, Sweden

<sup>2</sup> Department of Chemistry, KU Leuven, Celestijnenlaan 200F, B-3001 Heverlee, Belgium

are introduced as monometallic precursors, a non-negligible number of catalytic reactions seem to involve dimeric metal complexes as active species. We do not claim that this will always be so (so the principle reviewed here is in no ways a paradox), but simply that it will be the case much more often than one might expect.

When performing a computational study of a metal-catalyzed transformation, the first step is to establish the nature of the active catalyst. In the early days of computational studies of catalysis, this information was usually taken ‘on trust’ as information coming from the experimental collaborator, or as general knowledge. As computational studies have become more and more ambitious, though, the active catalyst in the reaction is nowadays in many cases not established, and the computational mechanistic investigation must therefore either start with an assumption regarding the nature of this species, or set out to establish it from first principles. This latter procedure can be described as being the “computational speciation” study of the catalyst: one suggests possible transformations that the pre-catalyst may undergo in presence of solvent, reagents, additives or impurities, and sets out to compute the relative standard free energy of these species, to work out which are the most stable. As always in computational studies, while this procedure can in principle be predictive, the existence of significant error bars on free energy predictions means that it is wise to take into account as much experimental evidence as possible to establish whether the computational suggestion is compatible with known facts.

We have noticed from examples in our own work that in the absence of direct experimental evidence to the contrary, in cases where the pre-catalyst is a monometallic complex, the default assumption for the active species is usually that it too is monometallic. Even when computational speciation is performed, it tends to limit itself to monometallic species. This is perhaps not too surprising: textbook reaction mechanisms for elementary steps in organometallic chemistry involve single metal centers placed as the ‘conductor’ at the center of the catalytic orchestra, and many catalyst precursors and isolated intermediates involve single metals. Nevertheless, as is also well known, the free energy difference between monometallic complexes and corresponding multimetallic clusters is quite often small, so one should expect that depending on conditions, the most stable species might involve multiple centers playing together like in chamber music. Such polymetallic active species are trivially identified in the cases where the pre-catalyst contains multiple metals, as for example in the case of dirhodium catalysis [11], but are much less easy to predict when this is not the case.

As discussed above, we are aware that other researchers might have similar experiences and that there have been discussions on mono- versus bimetallic mechanisms in recent

years in, for example, gold and palladium catalysis [12, 13]. Nevertheless, in our overview below, we focus mainly on cases taken from our own research, because in these cases, we have the advantage that we know about the “order of discovery” of the work (rather than just about the “order of exposition” in the published paper), so we also know that most of these cases, the “bimetallic” mechanism was a late hypothesis that occurred only after a frustrating amount of time spent trying to account for observations based on monometallic mechanisms. Also, we will not put much effort on describing the experimental backgrounds of the discussed reactions nor their importance and synthetic value; instead, the focus will be on the modeling aspects.

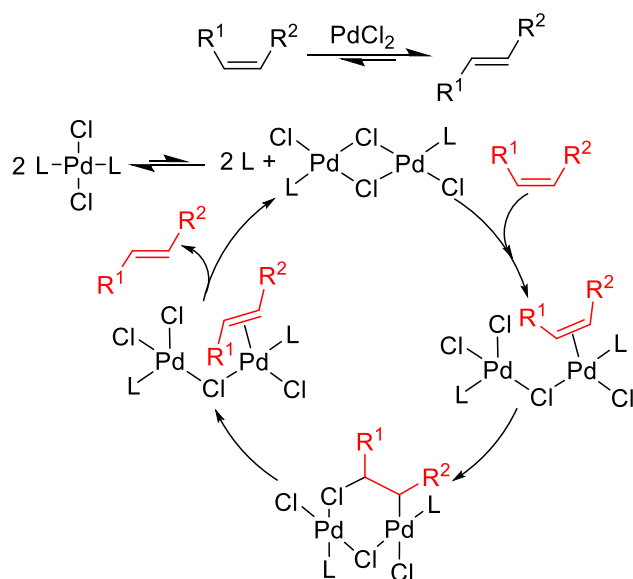
## 2 Some Technical Aspects

Before discussing the specific examples, we think it is useful to review some technical aspects regarding the evaluation of free energies that are relevant to performing computational speciation specifically for the case of dimer formation. Many of these points are discussed at great length (but without the focus on dimer formation) in a recent perspective 1 h. First, most of our studies and all of those discussed here rely on density functional theory (DFT) quantum mechanical methods for optimization of structures and computation of vibrational frequencies. We generally find that it is important to use DFT functionals that have been developed in such a way as to account at least reasonably for dispersion interactions that frequently play a large role in determining energetics of large complexes. Also, for polar species, it is usually important to perform geometry optimization in presence of a continuum model of solvent, or at least to include the free energy of solvation correction that arises from performing a single-point energy calculation with a continuum model. Finally, while a modest double zeta basis set is often adequate for structural optimization, recomputation of the energy with a larger basis set is often important to avoid spurious basis set incompleteness effects on calculated energies.

Based on the structure optimization and vibrational frequency computation, it is possible to use standard rigid rotor-harmonic oscillator statistical mechanics to compute thermal and entropic corrections for each species. Our general experience is that, provided the correct standard state is used, this type of calculation in combination with a reliable density functional yields quite accurate calculated free energies, with errors small enough to obtain reasonable semi-quantitative agreement with experiment for predicted equilibria and kinetics. Some examples are given below. We note that for large, flexible, complexes or TSs, as will be sometimes involved in the examples given here, it is important to monitor carefully the lowest-frequency vibrational modes so as to avoid having spurious free energy terms

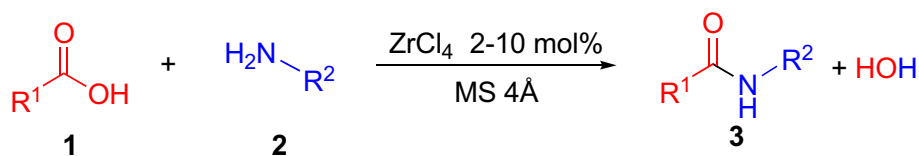
arising from modes with extremely low frequencies, or from modes erroneously predicted to be imaginary. Use of the quasi-harmonic approximation can be helpful in these cases [14, 15].

A specific comment on the role of entropy in dimer formation is perhaps useful. At first sight, when considering a reaction step  $2A \rightarrow A_2$ , one might expect that this would be entropically disfavored as described by the simple ‘rule of 10’ (whereby  $\Delta G = \Delta H - T\Delta S$  is roughly ten kcal/mol less favorable at room temperature than  $\Delta H$  due to the entropic cost associated with loss of translational and rotational degrees of freedom upon combining two species to form a single one). It should however be pointed out that for metal complexes, this expectation is too simplistic and the entropic contribution to a dimer-forming step can be quite different than that outlined here. For example, dimer formation can also involve release of a ligand, such that it is better written as  $2(\text{ML}_n) \rightarrow (\text{ML}_{n-1})_2 + 2\text{L}$ . In this case, dimerization will actually be *favorable* in entropic terms, as two molecules are combined to form *three*. All of our calculations in the studies mentioned below take entropy into account in the most accurate way possible so such effects are handled (though the detail will not be discussed below).



**Scheme 1** PdCl<sub>2</sub>-catalyzed cis–trans isomerization of alkenes. L is an alkene or solvent molecule coordinated to the metal

**Scheme 2** ZrCl<sub>4</sub>-catalyzed condensation of carboxylic acids and amines



### 3 Pd-Catalyzed Alkene Isomerization

An early example of the problem with mono- vs. bimetallic catalyst arose when studying cis–trans isomerization of alkenes by Pd(II) [16]. The used catalyst (Scheme 1) is monometallic and no obvious need for a second metal arose from initial consideration of possible mechanisms. Indeed, a reaction path for isomerization after complexation to a single Pd(II) center was rapidly found in the computational study, though with a free energy barrier that was too high compared to the observed reactivity.

The initial temptation was to blame this on computational error or on missing features of the computational model other than its monometallic character, but changes in level of theory, attempts to include co-reactants or changes in the ligands around the metal did not yield any lowering of the barrier. Then the experimental kinetics provided a hint: the order of the reaction with respect to the quantity of catalyst used was not exactly 1, which led to the idea that a bimetallic complex might be involved. After some work, a revised (and unexpected) mechanism involving nucleophilic attack on an alkene coordinated to one metal by chloride connected to the other metal was found (Scheme 1). This model immediately led to a predicted free energy profile that was in good agreement with the experimentally derived one, even with DFT methods. It should be noted that the dimerization of PdCl<sub>2</sub>L<sub>2</sub> to form Pd<sub>2</sub>Cl<sub>4</sub>L<sub>2</sub> leads to release of ligand L, so is an example of the type of process  $2(\text{ML}_n) \rightarrow (\text{ML}_{n-1})_2 + 2\text{L}$  mentioned in the previous section. The calculated  $\Delta G$  agreed quite well with the one inferred from the experimental kinetics) [16], suggesting that our computational protocol was able to handle the entropic aspects of speciation with sufficient accuracy.

### 4 Zr-Catalyzed Amide Formation

The second example we introduce here is the case of the direct condensation of carboxylic acids and primary amines (Scheme 2) [17]. Despite the importance of the direct catalytic amidation reaction in synthetic organic chemistry, the detailed mechanisms of this type of reactions were not well understood. A DFT mechanistic

study was performed to elucidate the mechanism of the  $\text{ZrCl}_4$ -catalyzed reaction, using phenylacetic acid and benzyl amine ( $\text{R}^1 = \text{R}^2 = \text{Bn}$ ) as model substrates.

Kinetics studies and NMR spectroscopy, in combination with precedence from the literature, provided evidence that the active complex contains up to two carboxylate ligands per Zr ion, coordinated bidentately to the metals. Moreover, the experiments suggested that the active catalyst complex contains one amine ligand per Zr ion. With these boundary conditions, a computational speciation study was conducted first showing that the dinuclear complexes are much more stable than mononuclear ones. Complex **4** was found to be as much as 42 kcal/mol lower in energy than complex **5** (Fig. 1). Similar dinuclear Zr complexes of the type  $[\text{Zr}(\text{OR})_4(\text{RNH}_2)_2]$ , with two bridging alkoxide ligands, have precedents in the literature [18–20].

From complex **4**, the catalytic mechanism proposed on the basis of the calculations is shown in Fig. 2. First, a nucleophilic attack of  $\text{BnNH}_2$  at the carboxylate carbon gives the tetrahedral intermediate **Int1** with a barrier of 10.7 kcal/mol (**TS1**). Next, an external amine enters the catalytic cycle and abstracts a proton from **Int1** to form **Int2**, which undergoes a C–O bond cleavage and a proton transfer (**TS2**), leading to the generation of **Int3**. **TS2** is 21.6 kcal/mol higher in energy than **4** and constitutes the rate-determining step of the catalytic cycle. Protonation of the hydroxyl group in **Int3** by an external phenylacetic

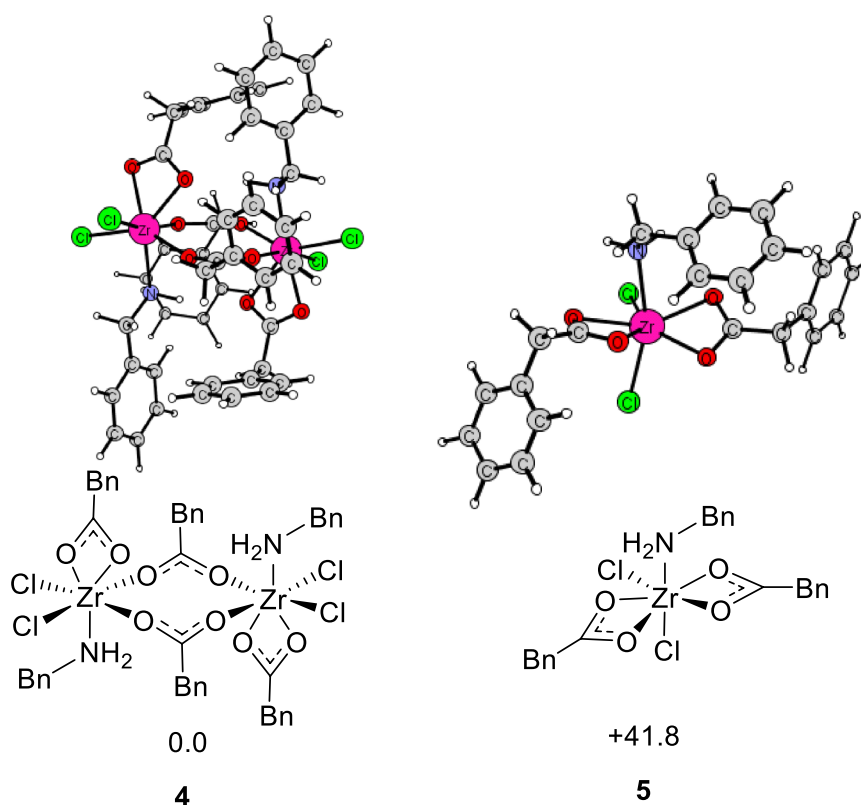
acid releases a water molecule and the amide product while regenerating catalyst complex **4**.

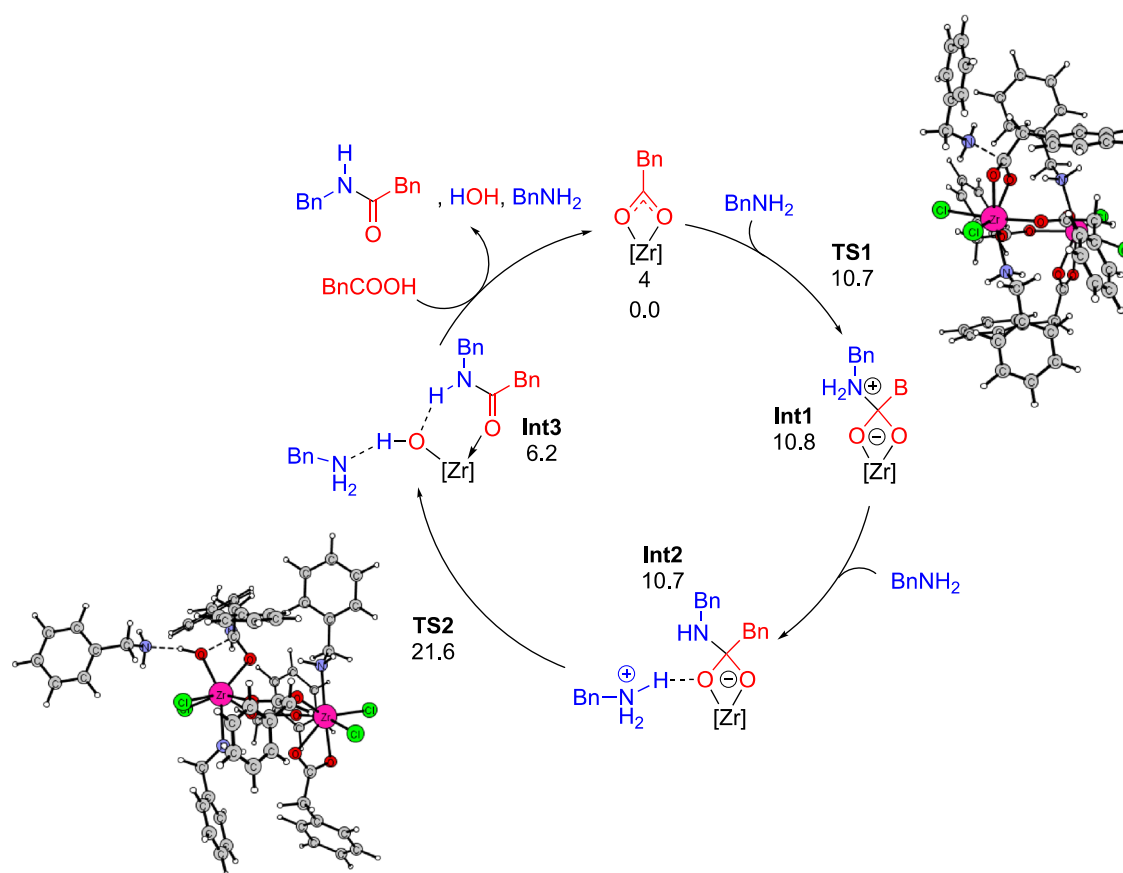
Very interestingly, the reaction starting from mononuclear complex **5** resulted in the same step sequence as the dinuclear complex, but with a much lower barrier, only ca 10 kcal/mol, which is not compatible with the experimental conditions. The fact that the bimetallic complex **4** is more than 40 kcal/mol more stable than the monometallic complex **5** shows that the latter will not be present in the solution and cannot contribute to the catalysis, despite the low barrier to reaction that would result were this species to contribute to the mechanism. This example demonstrates thus that if one is not careful in the computational speciation study, and one thereby fails to exclude complex **5** on the basis of its high energy relative to **4**, wrong conclusions can be drawn regarding the reaction mechanism and the nuclearity of the active catalyst.

## 5 Pd-Catalyzed Tsuji–Trost Allylic Substitution

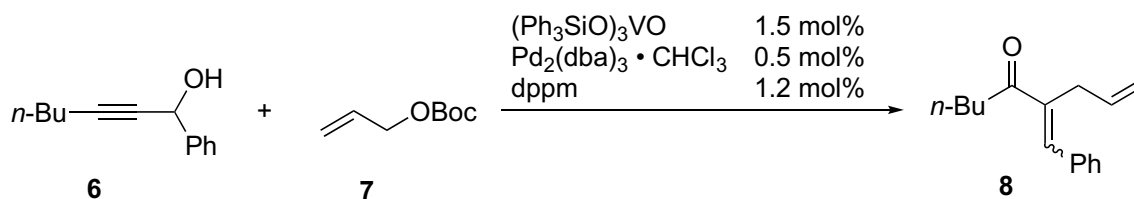
Another example concerns the Pd-catalyzed Tsuji–Trost allylic substitutions and its combination with the V-catalyzed Meyer–Schuster rearrangement (Scheme 3) [21, 22]. This coupling between propargylic alcohols and allylic carbonates promoted cooperatively by palladium and vanadium

**Fig. 1** Lowest-energy di- and mononuclear Zr-complexes found by the computational speciation study. Relative free energies are given in kcal/mol





**Fig. 2** Catalytic cycle proposed for the Zr-catalyzed condensation reaction. Calculated relative free energies are given in kcal/mol



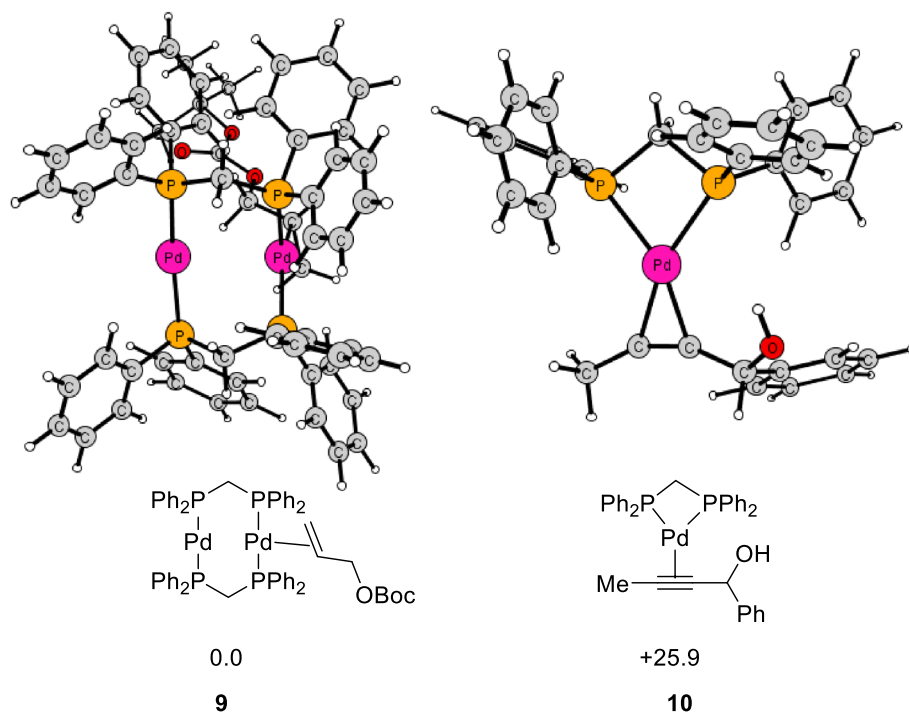
**Scheme 3** V/Pd-catalyzed Meyer–Schuster rearrangement/Tsuji–Trost allylic substitution of propargylic alcohol and allyl carbonate

complexes is an elegant example of synergistic catalysis that allows for the synthesis of complex structural motifs.

Tsuji–Trost O-allylations are generally considered to be catalyzed by mononuclear palladium complexes. Indeed, the reaction of Scheme 3 was initially modeled using a mononuclear complex in which the diphosphine ligand binds bidentately to the metal [23]. Although these calculations could establish several important aspects of the reaction mechanism, the results were not fully compatible with the experimental outcome. In particular, the dependence of the product distribution on the palladium loading could not be reproduced. On closer examination, it turned out that the

particular diphosphine ligand used in the experiments, 1,1-bis(diphenylphosphino)methane (dppm), promotes the formation of dinuclear palladium complexes, while other diphosphine ligands in the same family, like for example 1,1-bis(diphenylphosphino)ethane (dppe), yield mononuclear complexes. Calculations on various Pd(0) complexes with dppm revealed that dinuclear complexes are much more stable than the mononuclear counterparts (Fig. 3). The ring strain of the four-membered palladacycle in the mononuclear complex is alleviated when the dppm ligands are bridging two Pd ions, resulting in structures that are as much as 25 kcal/mol lower in free energy.

**Fig. 3** Lowest energy di- and mononuclear Pd(0) complexes obtained from the computational speciation, with dppm as a ligand. Relative free energies (kcal/mol) are given in kcal/mol



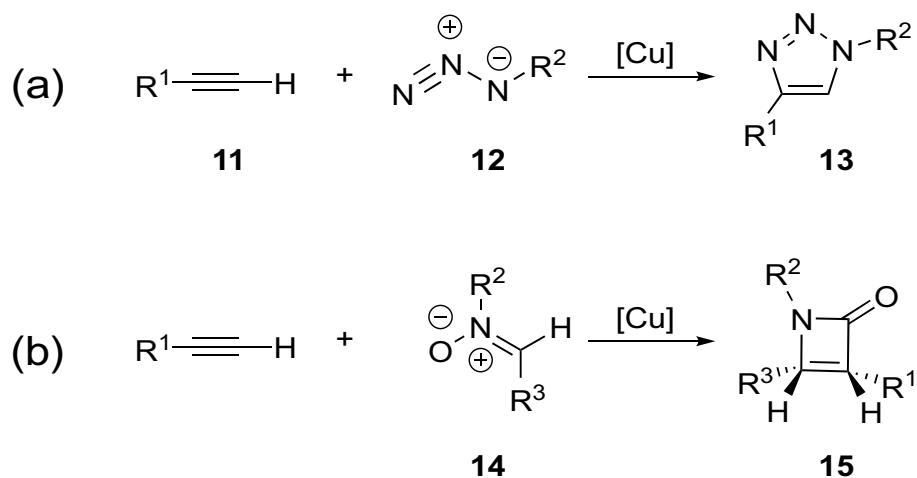
Starting from the complexes with a  $(\text{dppm})_2\text{Pd}_2$  core, a reaction mechanism was then calculated that better matched the experimental findings. In particular, the calculations showed that only one of the palladium ions is active in the reaction, while the second one is a spectator that can be in oxidation state 0 or II. This results in two different catalytic cycles that have to be taken into account and that influence the final product distribution. In total, the calculations showed that the overall palladium-vanadium combined reaction consists of nine interconnected catalytic cycles. Using the obtained DFT energies, numerical kinetics simulations were then employed to work out the final reaction outcome and gain deeper insights into the factors governing the reactivity and selectivity of the reaction.

This case shows that a seemingly small variation of the ligand structure (dppm vs. dppe) can have a large impact on the reaction mechanism, and, again, a careful computational speciation study is crucial in order to model the reaction accurately and reproduce the experiments.

## 6 Cu-Catalyzed Cycloadditions

The final examples discussed here concern the Cu-mediated activation of terminal alkynes to form Cu-acetylide that then participates in cycloaddition reactions, such as the Huisgen cycloaddition to azides (the famed Click chemistry reaction,

**Scheme 4** **a** Cu-catalyzed azide-alkyne Huisgen cycloaddition, and **b** Kinugasa reaction



Scheme 4a) and the coupling to nitrones to afford  $\beta$ -lactams (the Kinugasa reaction, Scheme 4b).

Coordination of the alkyne to a copper ion lowers its  $pK_a$  significantly, making it possible for a base to abstract the proton and form a Cu-acetylide that can react further [24]. However, the calculations showed that this deprotonation, using triethylamine as a model base, is quite endergonic, by ca 9 kcal/mol [25]. Although this value is not very high, it has to be added to the barriers of the following steps and might therefore result in unfeasible overall barriers.

In the case of the Kinugasa reaction, the calculations could demonstrate that the presence of the second copper ion provides a considerable additional lowering of the  $pK_a$  of alkyne. From being endergonic by 9 kcal/mol, the deprotonation by  $\text{Et}_3\text{N}$  was found to be exergonic by 3 kcal/mol when two copper ions were employed (using phenanthroline as a copper ligand).

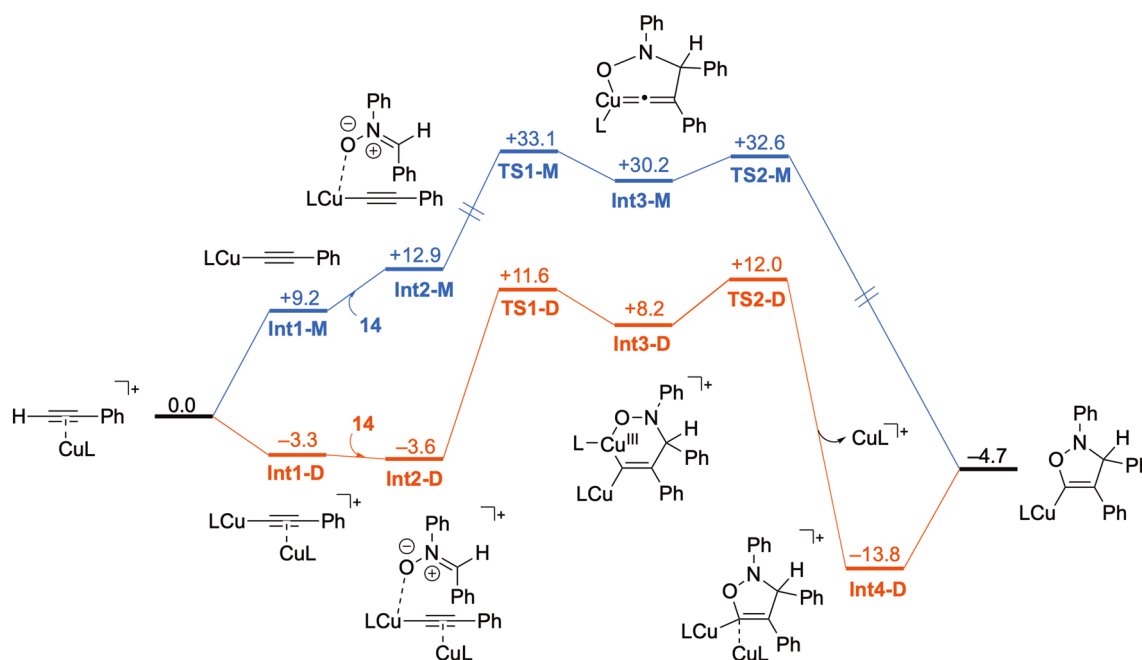
Comparison of the energy profiles of the initial steps of the Kinugasa reaction employing one or two copper ions is shown in Fig. 4. Apart from the further acidification of the alkyne, the second copper ion provides additional stabilization to the subsequent intermediates and transition states of the formal cycloaddition, which was shown to take place in a stepwise fashion. The second copper center has thus profound implications on the energetics of the reaction, and modeling the reaction using a mononuclear copper species does not yield feasible barriers.

In the case of the Cu-catalyzed azide-alkyne cycloaddition (CuAAC), both experimental and theoretical studies

have demonstrated that two copper ions are involved in the reaction [26–31]. Although the precise reaction mechanism may vary depending on the reaction conditions, a general mechanism based on the previous mechanistic studies is summarized in Scheme 5. The alkyne reacts with two Cu(I) complexes to give Cu-acetylide **16**. After coordination of azide to one of the copper ions, C–N bond formation takes place to produce a six-membered metallacycle **18**, which undergoes a ring contraction and metal dissociation to give triazole intermediate **19**. Subsequent protonation yields final product **13**. Thus, also in this case, the second Cu ion facilitates both the deprotonation and that following ring formation step.

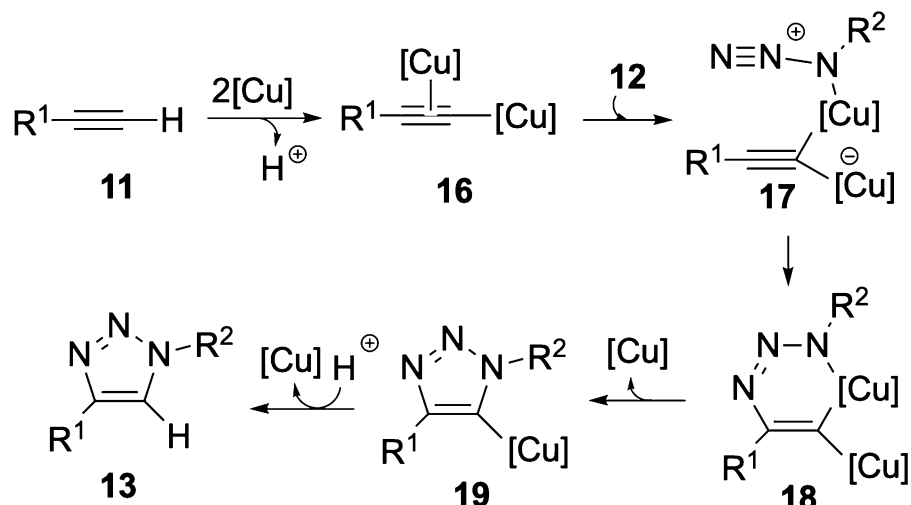
## 7 Conclusions

In this short account, we discuss a number of examples drawn from our own research where—much to our initial surprise—the active species in a catalyzed organometallic transformation turns out to be bimetallic. As discussed in the introduction, this turned out to be a surprise because the pre-catalyst species was monomeric and textbook mechanisms could be written with only a single metal center. In some cases, the intervention of multiple metals could be proved by experimental kinetics studies, while in others, the proposed mechanism is supported by it being better able to account for the observed reactivity and selectivity of the system. Hence, while the usual caveats



**Fig. 4** Calculated energy profiles for the initial steps of the Kinugasa reaction. Mechanisms involving mononuclear and dinuclear Cu complexes are shown in blue and red, respectively

**Scheme 5** Reaction mechanism for Cu-catalyzed azide-alkyne Huisgen cycloaddition



relating to the exactness of computationally-proposed mechanisms should be borne in mind, there is in each case strong evidence for the proposed polymetallic nature of the active species.

This is one example of a general feature of contemporary computational studies: they by and large only provide information on those mechanisms which the computational chemist has decided to study. In that sense, the computations play the role of filling in the details and checking the possibility of a mechanism which was suggested based on prior examples or chemical intuition, rather than being ‘predictive’ in the strong sense of the term. As computational studies mature, methods become more accurate, and aspects such as computational speciation start to become systematically included, it is likely that the exploration of chemical reaction space needed to assess possible reaction mechanisms will allow an even greater degree of predictivity in studying catalysis. In the meantime, we hope that researchers in the field will remember that quite often, unity of catalyst metals makes strength—that two is better than one.

**Acknowledgements** FH thanks the Swedish Research Council for financial support.

**Funding** Open access funding provided by Stockholm University.

**Open Access** This article is licensed under a Creative Commons Attribution 4.0 International License, which permits use, sharing, adaptation, distribution and reproduction in any medium or format, as long as you give appropriate credit to the original author(s) and the source, provide a link to the Creative Commons licence, and indicate if changes were made. The images or other third party material in this article are included in the article's Creative Commons licence, unless indicated otherwise in a credit line to the material. If material is not included in the article's Creative Commons licence and your intended use is not permitted by statutory regulation or exceeds the permitted use, you will need to obtain permission directly from the copyright holder. To view a copy of this licence, visit <http://creativecommons.org/licenses/by/4.0/>.

## References

1. Sameera WMC, Maseras F (2012) WIREs Comput Mol Sci 2:375–385
2. Sperger T, Sanhueza IA, Kalvet I, Schoenebeck F (2015) Chem Rev 115:9532–9586
3. Lam Y-H, Grayson MN, Holland MC, Simon A, Houk KN (2016) Acc Chem Res 49:750–762
4. Santoro S, Kalek M, Huang G, Himo F (2016) Acc Chem Res 49:1006–1018
5. Balcells D, Clot E, Eisenstein O, Nova A, Perrin L (2016) Acc Chem Res 49:1070–1078
6. Sunoj RB (2016) Acc Chem Res 49:1019–1028
7. Peng Q, Paton RS (2016) Acc Chem Res 49:1042–1051
8. Harvey JN, Himo F, Maseras F, Perrin L (2019) ACS Catal 9:6803–6813
9. Halpern J (1982) Science 217:401–407
10. Landis CR, Halpern J (1987) J Am Chem Soc 109:1746–1754
11. Doyle MP (2006) J Org Chem 71:9253–9260
12. Fricke C, Sperger T, Mendel M, Schoenebeck F (2021) Angew Chem Int Ed 60:3355–3366
13. Asgari M, Hyland CJT, Hashmi ASK, Yates BF, Ariafard A (2019) Catal Sci Technol 9:1420–1426
14. Ribeiro RF, Marenich AV, Cramer CJ, Truhlar DG (2011) J Phys Chem B 115:14556–14562
15. Grimme S (2012) Chem Eur J 18:9955–9964
16. Tan EHP, Lloyd-Jones GC, Harvey JN, Lennox AJJ, Mills BM (2011) Angew Chem Int Ed 50:9602–9606
17. Lundberg H, Tinnis F, Zhang J, Algarra AG, Himo F, Adolfsson H (2017) J Am Chem Soc 139:2286–2295
18. Fric H, Puchberger M, Schubert U (2006) J Sol-Gel Sci Technol 40:155–162
19. Han C, Lee JP, Lobkovsky E, Porco JA (2005) J Am Chem Soc 127:10039–10044
20. Schwartz D, Johnson C, Ludwig J, Morris ML (1964) J Inorg Nucl Chem 26:2025–2027
21. Trost BM, Luan X (2011) J Am Chem Soc 133:1706–1709
22. Trost BM, Luan X, Miller Y (2011) J Am Chem Soc 133:12824–12833
23. Kalek M, Himo F (2017) J Am Chem Soc 139:10250–10266
24. Himo F, Lovell T, Hilgraf R, Rostovtsev VV, Noodleman L, Sharpless KB, Fokin VV (2005) J Am Chem Soc 127:210–216



25. Santoro S, Liao R-Z, Marcelli T, Hammar P, Himo F (2015) *J Org Chem* 80:2649–2660
26. Rodionov VO, Fokin VV, Finn MG (2005) *Angew Chem Int Ed* 44:2210–2215
27. Rodionov VO, Presolski SI, Díaz DD, Fokin VV, Finn MG (2007) *J Am Chem Soc* 129:12705–12712
28. Straub BF (2007) *Chem Commun* 7:3868–3870
29. Ahlquist M, Fokin VV (2007) *Organometallics* 26:4389–4391
30. Kuang G-C, Guha PM, Brotherton WS, Simmons JT, Stanke LA, Nguyen BT, Clark RJ, Zhu L (2011) *J Am Chem Soc* 133:13984–14001
31. Worrell BT, Malik JA, Fokin VV (2013) *Science* 340:457–460

**Publisher's Note** Springer Nature remains neutral with regard to jurisdictional claims in published maps and institutional affiliations.