Results in Mathematics



Correction

## Correction to: Quantitative Approximation by Nonlinear Picard–Choquet, Gauss–Weierstrass–Choquet and Poisson–Cauchy–Choquet Singular Integrals

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## Correction to: Results Math (2018) 73:92 https://doi.org/10.1007/s00025-018-0852-3

**Abstract.** Corrigendum to Results Math. (73)(2018), no. 3, Art. 92, 23 pp. Concerning the examples in Remark 4.3 and Remark 5.4, I correct a few calculations, but which do not influence the conclusions in these remarks.

Mathematics Subject Classification. 41A36, 41A25, 28A10, 28A12, 28A25.

**Keywords.** Submodular set function, Nonlinear Choquet integral, Picard–Choquet operators, Gauss–Weierstrass–Choquet operators, Poisson–Cauchy–Choquet operators.

## Introduction

I correct a few calculations in Remarks 4.3 and 5.4 in [1], but which do not influence the conclusions of these remarks, as follows.

On page 14, line 5 from below, the equality  $W_{t,\mu_{t,x}}(f)(x) = f(x+t^2)$ must be changed to  $f(x) \leq W_{t,\mu_{t,x}}(f)(x) \leq f(x+t^2)$ .

The original article can be found online at https://doi.org/10.1007/s00025-018-0852-3.

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On page 14, line 3 from below (i.e. in relation (3)), the sign "=" must be changed to "≤".

On page 15, the whole line 18 from above must be replaced by

$$W_{t,\mu_{t,x}}(f)(x) = \int_0^{f(x+t^2)} \sup\{e^{-(s-x)^2/t^2}; s \in \mathbb{R}, f(s)e^{-(s-x)^2/t^2} \ge \alpha\} d\alpha$$
  
$$\leq f(x+t^2).$$

Then, after this line must be inserted the following two formulas

$$W_{t,\mu_{t,x}}(f)(x) = \int_0^{f(x+t^2)} \sup\{e^{-(s-x)^2/t^2}; s \in \mathbb{R}, f(s)e^{-(s-x)^2/t^2} \ge \alpha\} d\alpha$$
$$\ge \int_0^{f(x)} \sup\{e^{-(s-x)^2/t^2}; s \in \mathbb{R}, f(s)e^{-(s-x)^2/t^2} \ge \alpha\} d\alpha$$
$$= \int_0^1 1 d\alpha = f(x).$$

On page 20, line 5 from below, the equality  $Q_{t,\mu_{t,x}}(f)(x) = f(x+t^2)$  must be changed to  $f(x) \leq Q_{t,\mu_{t,x}}(f)(x) \leq f(x+t^2)$ .

On page 20, line 3 from below (i.e. in relation (6)), the sign "=" must be changed to " $\leq$ ".

On page 21, the whole line 10 from below must be replaced by

$$Q_{t,\mu_{t,x}}(f)(x) = \int_0^{f(x+t^2)} \sup\left\{\frac{1}{|s-x|^2/t^2+1}; s \in \mathbb{R}, f(s) \cdot \frac{1}{|s-x|^2/t^2+1} \ge \alpha\right\} d\alpha$$
  
$$\leq f(x+t^2).$$

Then, after this line must be inserted the following three lines

$$Q_{t,\mu_{t,x}}(f)(x) = \int_0^{f(x+t^2)} \sup\left\{\frac{1}{|s-x|^2/t^2+1}; s \in \mathbb{R}, f(s) \cdot \frac{1}{|s-x|^2/t^2+1} \ge \alpha\right\} d\alpha$$
$$\ge \int_0^{f(x)} \sup\left\{\frac{1}{|s-x|^2/t^2+1}; s \in \mathbb{R}, f(s) \cdot \frac{1}{|s-x|^2/t^2+1} \ge \alpha\right\} d\alpha$$
$$= \int_0^{f(x)} 1d\alpha = f(x).$$

## Reference

 Gal, S.G.: Quantitative approximation by nonlinear Picard-Choquet, Gauss-Weierstrass-Choquet and Poisson-Cauchy-Choquet singular integrals. Res. Math. 73(3), 23 (2018). Art. 92 Sorin G. Gal Department of Mathematics and Computer Science University of Oradea Universitatii 1 410087 Oradea Romania e-mail: galso@uoradea.ro

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