**Advances in
Applied Clifford Algebras**

Correction to: Blade Products and Angles Between Subspaces

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Correction to: Adv. Appl. Clifford Algebras (2021) 31:69
https://doi.org/10.1007/s00006-021-01169-w

Unfortunately, the symbol $\measuredangle$, for partial orthogonality, has been incorrectly replaced by $\perp$. The instances in which one should read $\measuredangle$ instead of $\perp$ are:

page 5, Definition 2.2, "…(we write $V \measuredangle W$)…"

page 5, Proposition 2.3 (i), "$V \measuredangle W \Leftrightarrow …$"

page 5, Proposition 2.3 (ii), "$V \measuredangle W \Leftrightarrow …$"

page 5, Proposition 2.3 (iii), "…then $V \measuredangle W \Leftrightarrow W \measuredangle V$."

page 5, second line before Definition 2.4, "Note that $\measuredangle$ is not…"

page 5, Definition 2.4 (i), "If $[A] \measuredangle [B]$ we say …and write $A \measuredangle B$". Note that the $\perp$ in Definition 2.4 (ii) is correct.

page 6, second line of Proposition 2.7, "$A \measuredangle B \Leftrightarrow A * B = 0$."

page 7, second line, "$\Theta_{V,W} = \frac{\pi}{2} \Leftrightarrow V \measuredangle W$."

page 8, second line before Proposition 2.13, "implies $V \measuredangle W^{\perp}$."

page 16, fourth line before Proposition 3.26, "and $V \not\measuredangle W$, (2) gives …"

page 16, second line before Proposition 3.26, "$V \measuredangle W$, both …"

page 16, third line after Definition 3.27, "…and if $V \measuredangle W$ we can …"

page 24, second line of Corollary 5.3, "$A \rfloor B = 0 \Leftrightarrow A \measuredangle B$."

page 29, Corollary A.8, "$A \lrcorner B = 0 \Leftrightarrow A \measuredangle B$."

Also, reference [29] is missing some information. It should be:

[29] Mandolesi, A.L.G.: Projection factors and generalized real and complex Pythagorean theorems. Adv. Appl. Clifford Al. **30**, 43 (2020). https://doi.org/10.1007/s00006-020-01070-y

Publisher's Note Springer Nature remains neutral with regard to jurisdictional claims in published maps and institutional affiliations.

The original article can be found online at https://doi.org/10.1007/s00006-021-01169-w.

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