

Light propagation in weakly guiding optical fibres. A Laplace-transform approach

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(*Nuovo Cimento B*, 111 (1996) 701)

PACS 04.40 - Continuous media; electromagnetic and other mixed gravitational systems.
PACS 02.30.Qy - Integral transforms and operational calculus.
PACS 42.25.Bs - Wave propagation, transmission and absorption.
PACS 99.10 - Errata.

On p. 705, a factor $1/2$ was erroneously inserted in the refraction index profile. Formula (3) must read

$$(3) \quad f(r) = 1 - \operatorname{sech}^2 \frac{r}{\rho} = 1 - \frac{1}{(\exp[r/\rho] + \exp[-r/\rho])^2}.$$

Subsequent formulas must accordingly be corrected. From (6) onwards they take the right form by replacing V with $2V$ and V^2 with $4V^2$. We note, in particular,

i) Formula (10) for the basic differential equation:

$$(10) \quad \frac{d^2 u}{dR^2} + \frac{2\nu + 1}{R} \frac{du}{dR} + (-W^2 + V^2 \operatorname{sech}^2 R) u = 0.$$

(ii) The recurrence relation (29), useful in view of future work:

$$(29) \quad (2n + 2)^2 \alpha_{2n+2} + 2\nu(2n + 2) \alpha_{2n+2} - W^2 \alpha_{2n} + V^2 \beta_{2n} = 0.$$

(iii) The result (34) for cut-off frequencies:

$$(34) \quad \text{cut-off frequency of the } LP_{\nu,1} \text{ mode} = (2\nu)^{1/2}$$

which modifies accordingly table I.

(iv) Formulas (35) and (36) for the eigenvalues W :

$$(35) \quad \frac{4V^2 - W^2}{(W + 2)^2} - \frac{W^2}{(W + 4)^2} = 1,$$

$$(36) \quad W = 2V - 2 = 2(V - 1) \quad (V > 1).$$

Whereas cut-off frequencies compare still less favourably with the exact numerical values, the eigenvalue reproduces up to a factor two the result of Snyder and Sammut quoted in the paper and has the same «validity threshold» at $V = 1$.