

Erratum

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Viscosities of Carrier Gases at Gas Chromatograph Temperatures and Pressures

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Due to an error in printing the equations for helium and argon in the above article were given incorrectly. Please find the corrected equations below:

Helium

The definitive algorithm is that of Kestin et al. [4]. It is horrendously esoteric, but can be rigorously translated to the following for temperatures above 104 K ($-169\text{ }^{\circ}\text{C}$):

$$a = -0.126516$$

$$b = -1.230553$$

$$c = +2.171442$$

$$T^* = T/10.40$$

$$\alpha = 13.65299 - \ln T^*$$

$$\Omega = 0.00635209 \alpha^2 \left\{ 1.04 + \frac{a}{(\ln T^*)^2} + \right.$$

$$\left. + \frac{b}{(\ln T^*)^3} + \frac{c}{(\ln T^*)^4} \right\}$$

$$E = 1 + \frac{1}{4\Omega} \left\{ \frac{-2\Omega}{\alpha} + \right.$$

$$\left. + 0.00635209 \alpha^2 \left(\frac{-2a}{(\ln T^*)^3} - \frac{3b}{(\ln T^*)^4} - \frac{4c}{(\ln T^*)^5} \right) \right\}$$

$$f = 1 + \frac{3}{196} (8E - 7)^2$$

$$\eta (\mu \text{ Pa}\cdot\text{s}) = 0.7840374 T^{1/2} f/\Omega$$

This algorithm predicts the best experimental viscosities in the GC temperature range with a maximum deviation of about 0.5 % for any one value. However, the deviation plot from the data the authors classify as "primary data" seems to show systematic deviation,

rather than random scatter. Over the range 300 – 700 K ($25 - 425\text{ }^{\circ}\text{C}$) this is corrected by multiplying the calculated value thus

$$\text{"best" value} = \text{algorithmic value} \{0.995 + (T - 300) 2.5 \times 10^{-5}\}.$$

The "best" value reproduces the best experimental data within 0.1 %.

Argon

The data were again calculated from the algorithm of Kestin et al. [4], which is rigorously translated to the following for temperatures between 170 K and 1450 K ($-103\text{ }^{\circ}\text{C}$ to $1177\text{ }^{\circ}\text{C}$).

$$T^* = T/141.5$$

$$\Omega = \exp [0.46641 - 0.56991 \ln T^* + 0.19591 (\ln T^*)^2 - 0.03879 (\ln T^*)^3 + 0.00259 (\ln T^*)^4]$$

$$E = 0.8575225 + 0.097955 \ln T^* - 0.0290925 (\ln T^*)^2 + 0.00259 (\ln T^*)^3$$

$$f = 1 + \frac{3}{196} (8E - 7)^2$$

$$\eta (\mu \text{ Pa}\cdot\text{s}) = 1.5035 T^{1/2} f/\Omega$$

As with helium, there is systematic deviation of the best or "primary" data from the results of this algorithm. This is worst at $\sim 300\text{ K}$ ($\sim 25\text{ }^{\circ}\text{C}$) where the calculated result is higher by 0.3 % than the consistent values from five primary publications, but 0.1 % lower at $\sim 375\text{ K}$ ($\sim 100\text{ }^{\circ}\text{C}$) and is within 0.1 % at higher temperatures up to $\sim 700\text{ K}$ ($\sim 425\text{ }^{\circ}\text{C}$). It is more awkward to allow for this because correction is needed only at temperatures below $100\text{ }^{\circ}\text{C}$. It is also more uncertain because there is no "primary" data between $25\text{ }^{\circ}\text{C}$ and $100\text{ }^{\circ}\text{C}$ and the less reliable "secondary" data quoted by Kestin et al. do not suggest a trend. As the best estimate of the corrections I suggest:

$$\text{"best" value} (T < 375\text{ K}) =$$

$$\text{algorithmic value} \times [0.997 + (T - 300) 4 \times 10^{-5}].$$

$$\text{"best" value} (T > 375\text{ K}) = \text{algorithmic value}$$