ERRATA TO
A SURVEY OF SEMIGROUPS OF CONTINUOUS SELFMAPS
p. 193, $\ell-13 . \quad$ For " $\alpha$-semigroup" read " $\alpha$-semigroups".
p. 194, \& 19. Insert " f and g are both nonconstant and" between "if" and "fog $=\langle x\rangle$."
p. 194, \& 21. For " $\varphi(\langle x\rangle \circ f)=\varphi\langle x\rangle \circ(f)$ " read
$" \varphi(\langle x\rangle \circ f)=\varphi\langle x\rangle \circ \varphi(f) . "$
p. 218, \& 18. For $"^{\prime} L_{n}=\left\{(x, y) \in R^{2}: y=x / n\right.$ and $\left.x^{2}+y^{2} \leq 1\right\}{ }^{\prime}{ }^{n}$ read ${ }^{\prime} L_{n}=\left\{(x, y) \in R^{2}: 0 \leq x\right.$, $y=x / n$ and $\left.x^{2}+y^{2} \leq 1\right\}$."
p. 234, $\ell 1$. For "DEFINITION" read "THEOREM".
p. 243, \& 6. For "only of only of" read "only of".
p. 247, \&-14. For ${ }^{\prime} L_{k}=\left\{(x, y) \in R^{2}: y=x / k\right.$ and $\left.0 \leq x^{2}+y^{2} \leq 1\right\}$ " read " $L_{k}=\left\{(x, y) \in R^{2}:\right.$ $0 \leq x, y=x / k$ and $\left.x^{2}+y^{2} \leq 1\right\} . "$
p. 250 , \&-8. Replace the sentence beginning on that line by: "Let $A$ and $H$ be subgroups of a group $G$ such that $A \cap H=\{e\}$ where $e$ is the identity of $G$ and let $T_{N}$ be any subgroup of the symmetric group on $\{1,2,3, \ldots, N\}$."
p. 251, \& 1. Replace that expression by:
" $\left(\alpha \beta a_{q(1)} b_{1}, \alpha \beta a_{q(2)} b_{2}, \ldots, \alpha \beta a_{q(N)}{ }^{b_{N}} ; p^{\circ} q\right) "$
p. 251, \& 10. For ${ }^{\circ}{ }^{\prime \prime} b_{1}=\alpha a_{a(i)}^{-1} \alpha^{-1 "}$ read
$" b_{i}=a_{q(i)}^{-1} . "$
p. 251, $\ell-11$. For ${ }^{\prime \prime} L_{n}=\left\{(x, y) \in R^{2}: y=x / n\right.$ and
$\left.x^{2}+y^{2} \leq 1\right\} "^{n}$ read ${ }^{\prime} L_{n}=\left\{(x, y) \in R^{2}: 0 \leq x\right.$,
$y=x / n$ and $\left.x^{2}+y^{2} \leq 1\right\}^{\prime \prime}$
p. 253, $\ell-12$. For " $X$ " read " $(0, N)$ ".
p. 253, $\ell-10$. For $"-\infty<x \leq a "$ read $" 0<x \leq a "$.
p. 253, \&-9. Replace that line by:

$$
" k(x)=b+\ln ((N-b) /(N-x)) \text { for } b \leq x<N c^{\prime \prime}
$$

p. 253, $\ell-1$. For " $w$ " read " $v$ ".
p. 254, \& 3. For "w" read "v".
p. 254, \& 4. For "w(x)" read "v(x)".
p. 265, $\ell$ 12. For $\quad$ " $\left.t_{i}, z_{i}\right\}_{i=1}^{N}$ " read $"\left\{\left(t_{i}, z_{i}\right)\right\}_{i=1}^{N}$ ".
p. 266, $\ell-11$. For "THEOREM (1.1)" read "THEOREM
(1.7)."
p. 268, \& 14. For " $(I(X, K(X)) "$ read $"(I(X), K(X)) "$.
p. 270, $\ell-7$. For " $\alpha$-space" read " $\gamma$-space."
p. 272, $\ell$ 17. For "thirty-five" read "thirty-four."
p. 273, \& 10-12 incl. The conjecture is true.
p. 277, \& 15. For "Trnas" read "Trans."

Item 57 of the bibliography has now appeared.
However, since $I$ was able to extend and supplement the original results, $I$ felt that a change of title was in order. So item 57 on page 277 should now read
57.
, Embedding $S(X)$ into $S(Y)$ when $Y$
is compact and $X$ is not, Semigroup Forum 12
(4) (1976) 347-366.

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