Addendum

Damping of Second Sound in the Critical Dynamics of Liquid Helium below T_{λ}

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We have investigated in detail the nonuniversal deviations from our asymptotic theory. We have found that such deviations must not be treated in the usual way [1, 7] by expanding around the dynamic fixed point. The reason for this is the small transient exponent $\omega_{w} \ll 1$ which makes a full nonlinear renormalization-group analysis imperative. This is indeed feasible due to the fact that the dynamic parameter w does not represent a nonlinear coupling. By integrating the nonlinear dynamic flow equations we have treated both large departures from dynamic scaling $(d>d^*, 0< w^* \le 1)$ and the possible breakdown of scaling $(d < d^*, w^* = 0)$. The nonuniversal initial conditions have been determined independently via Ahlers' thermal conductivity data [4]. The resulting effective amplitude ratio R_2^{eff} is shown in Fig. 2 which complements our previous Fig. 1. Our non-asymptotic theory provides a satisfactory explanation of Ahlers' recent experiment on second-sound damping [Phys. Rev. Lett. 43, 1417 (1979)] and demonstrates that the numerical agreement with previous asymptotic theories [11, 12] is fortuitous. For a more detailed presentation and for additional results see V. Dohm and R. Folk, Nonlinear Dynamic Renormalization-Group Analysis above and below the Superfluid Transition in ⁴He, March 1980, submitted to Phys. Rev. Lett.

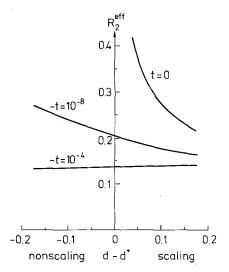


Fig. 2. The effective nonuniversal ratio entering the amplitude of second-sound damping versus the deviation $d-d^*$ from the borderline dimension d^* for different temperatures $-t \equiv (T_{\lambda} - T)/T_{\lambda}$. The t=0 curve shows the asymptotic universal ratio R_2 of the previous Fig. 1

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