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Where Found	Was Given As	Should Be
<p>p. 776, line 22 p. 776, line 26 p. 776, line 27 p. 776, line 28</p>	<p>subgroup must $\delta = \pi$ (ms of π (ms of \mathcal{G}) subgroup contains group for $i > r_1$ and the Sylow class of group. We hyperplane forms the set (G) gen are investigated We have, the associated for, the lines L_1^{k+1} follows; $L_d^{k,q}$ follows $L_c^{k,q}$ if $0 \leq c < d \leq +\infty$; $L_b^{k,q}$ precedes if $b > 1, c < \infty$;</p>	<p>subgroup \mathfrak{A} must $\delta = \pi$ (ms of \mathfrak{A}) \cap π (ms of \mathcal{G}) subgroup \mathfrak{A} contains group \mathcal{G} for $i > r_1$ and the Sylow class $\langle \mathfrak{A}_i \rangle$ of group \mathcal{G}. We hyperplane (O, a_1, a_2, a_3) forms the set $\mathfrak{A}(G)$ \mathfrak{A} gen are investigated we have $dE^1 \parallel E^1$, the associated for $\omega^2 = \omega^3 = 0$, the lines $L_1^{k+1,q}$ follows $L_1^{k,q}$; $L_d^{k,q}$ follows $L_c^{k,q}$ if $0 \leq c < d \leq +\infty$; $L_b^{k,q}$ precedes $L_b^{k+1, q^{-1}}$ if $b > 1$, $c < \infty$;</p>
<p>p. 776, line 37 p. 793, line 8 (from the bottom) p. 815, line 11 p. 843, line 18 p. 894, line 4 p. 894, line 9 p. 906, lines 7 and 8 (from the bottom)</p>	<p>subgroup must $\delta = \pi$ (ms of π (ms of \mathcal{G}) subgroup contains group for $i > r_1$ and the Sylow class of group. We hyperplane forms the set (G) gen are investigated We have, the associated for, the lines L_1^{k+1} follows; $L_d^{k,q}$ follows $L_c^{k,q}$ if $0 \leq c < d \leq +\infty$; $L_b^{k,q}$ precedes if $b > 1, c < \infty$;</p>	<p>subgroup \mathfrak{A} must $\delta = \pi$ (ms of \mathfrak{A}) \cap π (ms of \mathcal{G}) subgroup \mathfrak{A} contains group \mathcal{G} for $i > r_1$ and the Sylow class $\langle \mathfrak{A}_i \rangle$ of group \mathcal{G}. We hyperplane (O, a_1, a_2, a_3) forms the set $\mathfrak{A}(G)$ \mathfrak{A} gen are investigated we have $dE^1 \parallel E^1$, the associated for $\omega^2 = \omega^3 = 0$, the lines $L_1^{k+1,q}$ follows $L_1^{k,q}$; $L_d^{k,q}$ follows $L_c^{k,q}$ if $0 \leq c < d \leq +\infty$; $L_b^{k,q}$ precedes $L_b^{k+1, q^{-1}}$ if $b > 1$, $c < \infty$;</p>