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# *Corrigendum to "Weak Solutions of a Class of Quasilinear Hyperbolic Integro-Differential Equations Describing Viscoelastic Materials"*

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It was pointed out in [1] that a proof in my paper contains a gap. Specifically, the authors of [1] observe that instead of the estimate

$$\|J_s v_n - v_n\| \leqq \omega(s) \tag{3.26}$$

in that paper only the weaker estimate

$$\|J_s v_n - v_n\| \leqq \omega(s) + 2C\sqrt{\varepsilon_n} \tag{3.26'}$$

can be deduced. The gap can be closed as follows.

Change (3.26) to the estimate (3.26′). After the sentence containing this estimate, insert the following paragraph:

For a given $\delta$, we now pick $N$ so large that $2C\sqrt{\varepsilon_n} \leqq \delta/2$ for all $n \geqq N$ and then $t > 0$ so small that for $s \leqq t$, we have $\omega(s) \leqq \delta/2$ and $\|J_s v_n - v_n\| \leqq \delta$ for all $n \leqq N$. This is possible since the $J_s$ form a $C_0$-semigroup. Then $\|J_s v_n - v_n\| \leqq \delta$ for all $n$ if $s \leqq t$, and thus $\|J_s v_n - v_n\| \to 0$ uniformly in $n$. After possibly changing the modulus of continuity $\omega(\cdot)$, the term $2C\sqrt{\varepsilon_n}$ can therefore be dropped from the right-hand side of (3.26′).

With this argument, (3.26) still holds as stated in the paper, and the rest of the proof remains unchanged. I am grateful to HAMID BELLOUT, FREDERICK BLOOM, and JINDRICH NEČAS for pointing out this problem.

1. H. BELLOUT, F. BLOOM & J. NEČAS, Existence of Global Weak Solutions to the Dynamic Problem for a Three-Dimensional Elastic Body with Singular Memory. *SIAM J. Math. Anal.* **24** (1993), 36–45.

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