Corrigenda:

Hopf Bifurcation at Multiple Eigenvalues

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HANSJÖRG KIELHÖFER

Page 60. In the eighth line from the bottom, insert 2π after $=$.

Theorem 2.1 is in error as stated. To correct this, the last three sentences on page 69 should be replaced by:

We confine ourselves to the following case $(a=0)$:

$$a_{j+2}-a_{j0}-c_j=0, \quad j=0,\dots,n-1; \qquad a_{n+2}-a_n-c_n \neq 0,$$

where $c_0=0$ and

$$c_j=\sum_{n=0}^{j-1}\sum_{m=1}^{j-n}a_{nm}\sum_{v_1+\dots+v_m=j-n}d_{v_1}\dots d_{v_m}, \qquad j\geq 1,$$

and where the $d_j, j\geq 1$, are recursively defined by

$$d_1=b, \qquad d_2=b_2-b_{00},$$

$$d_{j+2}=b_{j+2}-b_{j0}-\sum_{n=0}^{j-1}\sum_{m=1}^{j-n}b_{nm}\sum_{v_1+\dots+v_m=j-n}d_{v_1}\dots d_{v_m}, \qquad j\geq 1.$$

If n is even, we assume that

(2.15) $\operatorname{sign}(a_{n+2}-a_{n0}-c_n)=\operatorname{sign} a_1$

but put no restriction on the sign of λ. If n is odd, we suppose only that

$$\operatorname{sign}\lambda=\operatorname{sign} a_1(a_{n+2}-a_{n0}-c_n).$$

Page 71. Corollary 2.3 is wrong in general. It is true if we assume in addition that $PB=BP$, where $Pu=2\pi[(u,\varphi_1^*)\varphi_1+(u,\bar\varphi_1^*)\bar\varphi_1^*]$.

The correction of Theorem 2.1 has no influence on the validity of Theorem 2.4 and 3.2. For Theorem 2.4 this is clear from the following change, whereas for Theorem 3.2 observe that the coefficients $a_{nm}=0$ for all n and m.

Page 72. Replace the tenth line from the bottom by:

It can now be shown that $\delta_1 = \ldots = \delta_{n-1} = 0$ implies $a_{jk} = 0$ for $0 \leq j \leq n-2$, $k \geq 0$.

Page 81. Replace the fifth line by:

$$\|F(u)\| \leq c_{19} \|A_0^\beta u\|^3, \qquad \beta > 1/2,$$

Institut für Angewandte Mathematik
und Statistik
Am Hubland
8700 Würzburg
W. Germany