LHC bounds on lepton number violation mediated by doubly and singly-charged scalars

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ABSTRACT: The only possible doubly-charged scalar decays into two Standard Model particles are into pairs of same-sign charged leptons, $H^{\pm\pm} \rightarrow l^{\pm}l^{\pm}$, $l = e, \mu, \tau$, or gauge bosons, $H^{\pm\pm} \rightarrow W^{\pm}W^{\pm}$; being necessary the observation of both to assert the violation of lepton number. However, present ATLAS and CMS limits on doubly-charged scalar production are obtained under specific assumptions on its branching fractions into dileptons only. Although they can be extended to include decays into dibosons and lepton number violating processes. Moreover, the production rates also depend on the type of electroweak multiplet $H^{\pm\pm}$ belongs to. We classify the possible alternatives and provide the Feynman rules and codes for generating the corresponding signals for pair and associated doubly-charged scalar production, including the leading contribution from the s -channel exchange of electroweak gauge bosons as well as the vector-boson fusion corrections. Then, using the same analysis criteria as the LHC collaborations we estimate the limits on the $H^{\pm\pm}$ mass as a function of the electroweak multiplet it belongs to, and obtain the bounds on the lepton number violating processes $pp \rightarrow H^{\pm\pm}H^{\mp\mp} \rightarrow \ell^{\pm}\ell^{\pm}W^{\mp}W^{\mp}$ and $pp \rightarrow H^{\pm\pm}H^{\mp} \rightarrow \ell^{\pm}\ell^{\pm}W^{\mp}Z$, $\ell = e, \mu$, implied by the ATLAS and CMS doubly-charged scalar searches.

KEYWORDS: Higgs Physics, Beyond Standard Model, Neutrino Physics

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Contents

1	Introduction	1
2	Which kind of new physics are we looking for?	5
3	Gauge scalar interactions	8
4	Doubly-charged scalar production	10
5	Monte Carlo implementation	12
6	Current analyses	13
7	Final state-dependent efficiencies and LNV bounds at the LHC	15
8	Conclusions	24
A	Contact interactions	26
B	Simulation and analyses	26
C	CL_s method	27

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1 Introduction

No departure from the Standard Model (SM) predictions has been observed at the LHC, yet; being the properties of the recently discovered Higgs boson apparently SM-like, too [1–9]. This was also preferred by electroweak (EW) precision data [10, 11] (see for previous fits [12, 13] and for an up-date [14–16]), thus making the discovery of new physics (NP) in the first LHC run unlikely. What leaves the well-established neutrino masses as the only clear signal of NP beyond the SM, so far [17], if we obviate the cosmological evidence of dark matter.

Neutrinos are massless in the SM because they have no right-handed (RH) counterparts, ν_{Ri} , to form Dirac masses and lepton number (LN) is an accidental symmetry protecting them to acquire Majorana masses [18]. Hence, in order to describe neutrino masses we have to add new degrees of freedom to the SM: either RH neutrinos with the corresponding Yukawa couplings giving Dirac masses to neutrinos after EW symmetry breaking (EWSB): $\mathcal{L}_{m_\nu}^Y = -y_{ij}\overline{L_{Li}}\nu_{Rj}\tilde{\phi} + \text{h.c.} \rightarrow -y_{ij}v\overline{\nu_{Li}}\nu_{Rj} + \text{h.c.}$, with $v = \langle\phi^0\rangle \sim 174\text{ GeV}$ the Higgs vacuum expectation value (VEV);¹ or new (heavy) fields, which in particular

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¹ $L_L = (\nu_L, l_L)$ and $\phi = (\phi^+, \phi^0)$ are the SM lepton and Higgs doublets, respectively, with $\tilde{\phi} = i\sigma_2\phi^*$ and σ_2 the second Pauli matrix. We write down column doublets in a row for convenience, when no confusion is expected.

may be also ν_{Ri} , with couplings violating LN explicitly or spontaneously and generating Majorana masses for the SM neutrinos at some given order in perturbation theory. In this case, upon integration of the heavy modes, the model is described at low energy by an effective Lagrangian with extra higher-order operators, the one of lowest dimension being the Weinberg operator [19], $\mathcal{O}^{(5)} = (\bar{L}_L^c \tilde{\phi}^*)(\tilde{\phi}^\dagger L_L)$, parametrizing the neutrino Majorana masses:² $\mathcal{L}_{m_\nu}^{(5)} = -c_{ij}^{(5)} \mathcal{O}_{ij}^{(5)} / \Lambda + \text{h.c.} \rightarrow -(c_{ij}^{(5)} v^2 / \Lambda) \bar{\nu}_{Li}^c \nu_{Lj} + \text{h.c.}$, with Λ the scale of NP.

In this second case there are no new light degrees of freedom to start with; the simplest realizations being characterized at low energy by the very tiny LN violation (LNV) induced by the neutrino Majorana masses, $(m_\nu)_{ij} = 2 c_{ij}^{(5)} v^2 / \Lambda \sim 0.1 \text{ eV}$. Whose measurement is the purpose of the next generation of neutrinoless double β decay experiments [20] (for recent reviews see [21–23]).³ However, the relevant question in the LHC era is if LNV is at the LHC reach. This is to ask if there are new particles with masses $\Lambda \sim \text{TeV}$ (and then $c_{ij}^{(5)} \sim 10^{-11}$) with observable LNV signatures [34].⁴ There is a wide literature dealing with the simplest realizations of this scenario, which are referred to as *see-saw* mechanisms of type I, II and III and obtained extending the SM with RH neutrinos [39–43], a scalar triplet [44–49] and vector-like fermion triplets [50, 51], respectively. In order to assert the violation of LN at the LHC it is enough to observe final states with non-zero LN, for the LN of the initial state (pp) vanishes. What in practice means observing events with an excess of leptons, or anti-leptons. Among the three *see-saw* mechanisms, the *see-saw* of type II gives the cleanest signal because doubly-charged scalars can decay into pairs of same-sign charged leptons, $\Delta^{\pm\pm} \rightarrow l^\pm l^\pm$, which accumulate around the doubly-charged scalar mass and allow for a very efficient search [52, 53]; which is not the case for heavy fermions because they decay into an odd number of light fermions (≥ 3 , if we exclude decays into Higgs bosons decaying in turn into two photons) [54–59], as required by rotational invariance. As a matter of fact, CMS [60] and ATLAS [61] have already set stringent limits on this process, excluding doubly-charged scalar masses $m_{\Delta^{\pm\pm}}$ ranging from 200 to 400 GeV, depending on the assumptions on the branching ratios into same-sign dileptons; although they have not reported on the corresponding limits for LNV. In order to obtain the latter, one must look for events with same-sign charged lepton pairs plus EW gauge bosons, including the production of $pp \rightarrow H^{\pm\pm} H^{\mp\mp} \rightarrow l^\pm l^\pm W^\mp W^\mp$ and $pp \rightarrow H^{\pm\pm} H^\mp \rightarrow l^\pm l^\pm W^\mp Z$,⁵ what can be done with the same sampling, four and three isolated leptons plus possibly missing transverse momentum, as we discuss below.

First, however, several general comments are worth to emphasize again:

- (i) LNV is minuscule, and hence at the LHC the production of LNV particles must be

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² $L_L^c = (\nu_L^c, l_L^c)$ is the SM lepton doublet with charge-conjugated fields, $\psi_L^c = (\psi_L)^c = C \bar{\psi}_L^T$; analogously $\psi_R^c = (\psi_R)^c = C \bar{\psi}_R^T$.

³Although the leading contribution to this process may come from other (higher-order) operators in more elaborated models [24–33].

⁴If the observed baryon asymmetry of the universe originates from leptogenesis, LNV must be at work at some energy, too [35] (see for recent reviews [36–38]).

⁵In the text generic scalar multiplets are denoted by H and their doubly-charged component by $H^{\pm\pm}$. We use Δ when only referring to the scalar triplet. While charged leptons are denoted by $l(\ell)$ when tau leptons are (not) included.

very suppressed or their decay very slow. As in the former case these would not be observable, they must transform non-trivially under the SM gauge symmetry and hence be produced with EW strength.⁶ (Obviously, singlets can be produced through mixing with non-singlet states but this mechanism is in general suppressed by the corresponding mixing angles. An example is heavy neutrino production through mixing with SM leptons [54–56], which is suppressed because the corresponding mixing angles are bounded to be small by EW precision data (EWPD) [62].⁷)

- (ii) Thus, LN must be violated in the decays of the new heavy particles, what requires that they have at least two dominant channels with different LN. (Majorana fermions are charge self-conjugated and hence if they decay into a final state with non-zero LN, they do also decay into the charge-conjugated state with opposite LN.)
- (iii) We restrict ourselves to SM extensions with LNV scalars because, as stressed above, scalar signatures allow for a more efficient particle reconstruction. Moreover, although the discovery of the Higgs boson proves the fundamental character of the SM scalar sector at low energy, this remains the less known sector of the model. In summary, the experimental observation of neutrino masses together with the outstanding LHC performance make the search for LNV scalars (eventually contributing to neutrino masses) especially timely. In the following we shall extend the *see-saw* of type II, which is mediated by an $SU(2)_L$ scalar triplet with hypercharge $Y = 1$, $\Delta = (\Delta^{++}, \Delta^+, \Delta^0)$, to allow for scalar multiplets H with arbitrary isospin T and hypercharge Y but with a doubly-charged component H^{++} coupling to a pair of same-sign charged leptons. This alone fixes the scalar LN equal to -2 but does not stand for LNV. In order to violate LN the scalars must also decay into SM boson pairs and then to final states with vanishing LN. Indeed, the only other possible two-body decay into SM particles of the doubly-charged scalar is into two W bosons, in the scalar triplet case $\Delta^{\pm\pm} \rightarrow W^\pm W^\pm$. This decay does require the LN breaking by the (small) non-zero Δ^0 VEV. In general, once LN is broken, doubly-charged scalars $H^{\pm\pm}$ with non-vanishing LN will also decay into W pairs at some order in perturbation theory; whether its neutral partner H^0 , if it exists, gets a (small) non-zero VEV, or through mixing with other (heavier) scalar multiplets with diboson couplings. The consideration of doubly-charged scalar decays into dileptons and dibosons on

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⁶We assume that the new fields do not carry color because we search for LNV particles which mainly manifest as dileptonic resonances.

⁷Even if vector boson fusion contributions are large [63], EWPD including LHC data on the SM Higgs further reduce the limits on lepton mixing [16] and hence, the LHC potential for heavy neutrino detection [54–56]. In any case, LHC direct limits on heavy neutrino production provide independent evidence and restrict the allowed range of heavy neutrino masses [64, 65], which are indirectly not accessible to lowest order in the expansion in the small lepton mixing. On the other hand, the LHC reach for heavy neutrino detection can be much larger in the presence of new interactions. In particular, if parity is restored [66–68] and the new charged gauge boson W' has a mass of several TeV, heavy Majorana neutrinos and hence LNV events can be observed up to neutrino masses near the W' mass [69–71]. In fact, CMS has already set significant bounds on this process [72].

the same footing in order to search for (bound) LNV at the LHC also generalizes previous phenomenological studies.

In simple models the region of parameter space where the doubly-charged scalar branching ratio into two same-sign leptons is comparable to the branching ratio into gauge bosons is small. In general, one of the two couplings is larger than the other and therefore the corresponding decay dominates. However, both decays can naturally have a similar rate in more elaborated models [24–27, 29–32, 73, 74].⁸

- (iv) We extend the SM with an extra TeV scalar multiplet at a time, neglecting possible mixing effects with other heavier scalar multiplets except to allow for the decay of the TeV scalar multiplet into gauge bosons. The only models we shall work out in detail are those with scalar multiplets with components of charge 2 at most, which are those of smaller isospin, too.⁹
- (v) We will not discuss flavor constraints either because they are model dependent at a large extent. Thus, although in the *see-saw* of type II neutrino masses are proportional to the corresponding doubly-charged scalar decays [52, 53, 80, 81], in general they are not closely related and more elaborated models can accommodate both independently of their specific values. At any rate, along this paper our approach to LHC searches will be mainly phenomenological and hence largely model independent.
- (vi) Once LNV is observed the question will be which its origin is. In the case of doubly-charged scalar production under consideration one would like to determine the type of multiplet the doubly-charged scalar belongs to. This can be done sampling appropriately the events with four and three isolated leptons, as has been proposed in [82–84].

In next section we characterize the scalar multiplets with doubly-charged components decaying into pairs of same-sign charged leptons, i.e., the possible isospin and hypercharge multiplet assignments. In general, the larger their isospin is, the higher the dimension of the operators parametrizing the heavy scalar decay and hence smaller their decay rate. Their gauge interactions are detailed in section 3, where we work out the corresponding Feynman rules. Both sections are more technical and can be skipped if the reader is only interested

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⁸We also assume that the mass splitting between the different components of the multiplet is small and hence the mixing with heavier scalar multiplets and with the SM Higgs. Otherwise, cascade decays within the multiplet (of electroweak strength) would be overwhelming [75–77]. Anyway, if $H^{\pm\pm}$ mainly decays into $H^\pm W^{\pm*}$, their subsequent leptonic decays also involve neutrinos, then making more difficult (less efficient) to reconstruct the doubly-charged scalar [78]. Moreover, the final fermions are softer and do not exhibit the resonant behavior in the same-sign dilepton channel. We will not further consider this scenario in the following.

⁹Multiplets with components with larger charges also have other striking signatures, for instance $H^{+++} \rightarrow H^{+++} W^{+*} \rightarrow l^+ l^+ l^+ \nu$, but with less energetic charged leptons in the final state [73, 74, 79]. In any case doubly-charged scalars are in general pair and associated produced with a comparable cross-section, decaying besides into same-sign dileptons and dibosons as assumed here and hence with harder charged leptons in the final state, which make easier (more efficient) the doubly-charged scalar reconstruction.

in the phenomenological implications. The production mechanisms are discussed in section 4. The dominant mechanism for doubly-charged scalar pair and associated production is through the s -channel exchange of EW gauge bosons. Vector-boson fusion contributions staying below 10% for the scalar masses of interest. The software implementation for Monte Carlo simulations is described in section 5, being available upon request. Section 6 contains the analyses mimicking those performed by the ATLAS and CMS experiments; and we extend them to estimate the bounds on LNV in section 7. In particular, we provide a table with an estimate of the efficiencies for the reconstruction of the different decay modes, which allows to derive the corresponding limits on doubly-charged scalar production for any set of branching ratios and hence model. We conclude in section 8. In appendices A, B and C we gather further technical details on effective operators for doubly-charged scalar production at hadron colliders, the Monte Carlo implementation for doubly-charged scalar pair and associated production and the applied statistics, respectively.

2 Which kind of new physics are we looking for?

We want to search for scalar resonances that may decay into a pair of same-sign charged leptons, $H^{\pm\pm} \rightarrow l^{\pm}l^{\pm}$, and be eventually at the LHC reach. This means to classify the EW multiplets H which the corresponding doubly-charged scalars can belong to. In general, no matter what $SU(2)_L \times U(1)_Y$ multiplet including $H^{\pm\pm}$ is considered, one can always write down gauge invariant effective operators giving rise to these decays after EWSB [82]. In fact, this can be done for any of the three lepton bilinears with non-vanishing LN available in the SM: $\bar{L}_L^c L_L$, $\bar{l}_R^c l_R$ and $\bar{L}_L^c l_R$, the three of them containing the product of two same-sign charged leptons l^-l^- . Although we can restrict ourselves to the first two combinations because the operators involving the third one are not independent of those built with the first two: the third combination $\bar{L}_L^c l_R$ requires a γ_μ insertion because of the fermions' chirality, and hence the presence of a covariant derivative to ensure the operator is Lorentz invariant; then using integration by parts and the equations of motion, the corresponding operators can be seen to be equivalent to the ones involving $\bar{L}_L^c L_L$ and $\bar{l}_R^c l_R$.

In practice we assume that there is a more fundamental theory reducing at lower energy to the SM plus an extra scalar multiplet H near the TeV scale with $LN = -2$ and a doubly-charged component H^{++} .¹⁰ Hence, its isospin T and hypercharge Y must fulfill

$$T^H \geq |T_3^{H^{++}} = 2 - Y|; \quad (2.1)$$

and for any pair of isospin and hypercharge assignments satisfying this relation there is a tower of gauge invariant operators involving H , any of the two bilinears with $LN = 2$, $\bar{L}_L^c L_L$ or $\bar{l}_R^c l_R$, and an increasing number of Higgs doublets $\phi(\tilde{\phi})$, with vanishing LN. This reflects the fact that any $SU(2)_L \times U(1)_Y$ representation satisfying eq. (2.1) can be obtained from the Clebsch-Gordan series of the product of a large enough number of fundamental representations $\phi(\tilde{\phi})$, with $T = 1/2$ and $Y = 1/2(-1/2)$. In particular, one can correlate

¹⁰Doubly-charged fermions and vector-bosons have been also considered but in other context [85].

the operators involving $\bar{\tilde{L}}_L \tau^a L_L$,¹¹ with $T = 1$ and $Y = -1$, to those involving $\bar{l}_R^c l_R$, with $T = 0$ and $Y = -2$, contracting the former with $\phi^\dagger \tau^{-a} \tilde{\phi}$; and vice-versa multiplying by $\tilde{\phi}^\dagger \tau^a \phi$. However, for any given H only the operators of lowest dimension in general matter because they are the ones formally giving the largest contributions to the dileptonic H^{++} decays after EWSB.

For illustration purposes in the following we restrict ourselves to scalar multiplets with at most doubly-charged components:

$$T^H = T_3^{H^{++}} \leq 2. \quad (2.2)$$

This stands for an $SU(2)_L$ singlet κ^{++} with hypercharge 2 [29, 32, 86], a doublet $\chi = (\chi^{++}, \chi^+)$ with $Y = 3/2$ [87–90], a triplet $\Delta = (\Delta^{++}, \Delta^+, \Delta^0)$ with $Y = 1$ mediator of the *see-saw* of type II [44–49], a quadruplet $\Sigma = (\Sigma^{++}, \Sigma^+, \Sigma^0, \Sigma'^-)$ with $Y = 1/2$ [91], and a quintuplet which we will assume to be real $\Omega = (\Omega^{++}, \Omega^+, \Omega^0, \Omega^-, \Omega^{--})$ with $Y = 0$. The lowest order gauge invariant operators coupling the doubly-charged component of these multiplets to a pair of same-sign charged leptons after EWSB are of dimension 4 for κ and Δ , 5 for χ and Σ , and 6 for Ω , respectively [82]:

$$\begin{aligned} \mathcal{O}_\kappa &= \bar{l}_R^c l_R \kappa; & \mathcal{O}_\Delta &= (\bar{\tilde{L}}_L \tau^a L_L) M_{ab}^\Delta \Delta^b, \quad \text{with } a, b = 1, 0, -1; \\ \mathcal{O}_\chi^{(1)} &= \bar{l}_R^c l_R (\tilde{\phi}^\dagger \chi); & \mathcal{O}_\chi^{(2)} &= (\bar{\tilde{L}}_L \tau^a L_L) M_{ab}^\chi (\phi^\dagger \tau^b \chi), \quad \text{with } a, b = 1, 0, -1; \\ \mathcal{O}_\Sigma &= (\bar{\tilde{L}}_L \tau^a L_L) M_{c,ab}^\Sigma \phi^b \Sigma^c, \quad \text{with } a = 1, 0, -1, \quad b = \pm \frac{1}{2}, \quad c = \frac{3}{2}, \frac{1}{2}, -\frac{1}{2}, -\frac{3}{2}; \\ \mathcal{O}_\Omega &= (\bar{\tilde{L}}_L \tau^a L_L) M_{c,ab}^\Omega (\tilde{\phi}^\dagger \tau^b \phi) \Omega^c, \quad \text{with } a, b = 1, 0, -1, \quad c = 2, 1, 0, -1, -2, \end{aligned} \quad (2.3)$$

where a sum on repeated indices is understood and we have omitted family indices. M^H are matrices with only non-zero entries for $a + b = 0$ if $H = \Delta$ or χ , and for $a + b + c = 0$ when $H = \Sigma$ or Ω :

$$\begin{aligned} M_{ab}^\Delta &= \begin{pmatrix} 0 & 0 & 1 \\ 0 & 1 & 0 \\ 1 & 0 & 0 \end{pmatrix}; & M_{ab}^\chi &= \begin{pmatrix} 0 & 0 & 1 \\ 0 & -1 & 0 \\ 1 & 0 & 0 \end{pmatrix}; \\ M_{\frac{3}{2},ab}^\Sigma &= \begin{pmatrix} 0 & 0 \\ 0 & 0 \\ 0 & -1 \end{pmatrix}, & M_{\frac{1}{2},ab}^\Sigma &= \begin{pmatrix} 0 & 0 \\ 0 & -\sqrt{\frac{2}{3}} \\ \frac{1}{\sqrt{3}} & 0 \end{pmatrix}, & M_{-c,-a-b}^\Sigma &= -M_{c,ab}^\Sigma; \\ M_{2,ab}^\Omega &= \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{pmatrix}, & M_{1,ab}^\Omega &= \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & \frac{1}{\sqrt{2}} \\ 0 & \frac{1}{\sqrt{2}} & 0 \end{pmatrix}, & M_{0,ab}^\Omega &= \begin{pmatrix} 0 & 0 & \frac{1}{\sqrt{6}} \\ 0 & \sqrt{\frac{2}{3}} & 0 \\ \frac{1}{\sqrt{6}} & 0 & 0 \end{pmatrix}, \\ M_{-c,-a-b}^\Omega &= M_{c,ab}^\Omega. \end{aligned} \quad (2.4)$$

¹¹Where $\tilde{L}_L = i\sigma_2 L_L^c$ and τ^a are the Pauli matrices in the spherical basis, $A^{+1} = -\frac{1}{\sqrt{2}}(A_1 - iA_2)$, $A^0 = A_3$, $A^{-1} = \frac{1}{\sqrt{2}}(A_1 + iA_2)$, times the Clebsch-Gordan coefficients $C_{a,-a}^{1 \times 1 \rightarrow 0}$, up to a global factor and sign: $\tau^{\pm 1} = \pm(\sigma_1 \mp i\sigma_2)/2$, $\tau^0 = \sigma_3/\sqrt{2}$.

Figure 1. Feynman diagrams and rules for Yukawa interactions. The arrows indicate the LN flow.

Vertex	Singlet	Doublet	Triplet	Quadruplet	Quintuplet
α_{ij}^L	0	$-\frac{v}{\Lambda} c_{\chi ij}^{(2)}$	$-c_{\Delta ij}$	$\frac{v}{\Lambda} c_{\Sigma ij}$	$\frac{v^2}{\Lambda^2} c_{\Omega ij}$
α_{ij}^R	$c_{\kappa ij}$	$\frac{v}{\Lambda} c_{\chi ij}^{(1)}$	0	0	0
β_{ij}	0	$\frac{v}{\Lambda} \frac{c_{\chi ij}^{(2)}}{\sqrt{2}}$	$\frac{c_{\Delta ij}}{\sqrt{2}}$	$-\frac{v}{\Lambda} \frac{c_{\Sigma ij}}{\sqrt{3}}$	$-\frac{v^2}{\Lambda^2} \frac{c_{\Omega ij}}{2}$

Table 1. Trilinear Scalar-Fermion-Fermion ($\mathcal{SFF}$) couplings for the different multiplet assignments in eq. (2.5).

After EWSB the resulting Yukawa interactions in figure 1 write

$$\frac{c_{Hij}}{\Lambda^{n_H}} \mathcal{O}_{Hij} \rightarrow (\alpha_{ij}^L \bar{l}_{Li}^c l_{Lj} + \alpha_{ij}^R \bar{l}_{Ri}^c l_{Rj}) H^{++} + \beta_{ij} (\bar{\nu}_{Li}^c l_{Lj} + \bar{l}_{Li}^c \nu_{Lj}) H^+ + \dots, \quad (2.5)$$

where the couplings α and β are in general symmetric, flavor-dependent and suppressed by powers of v/Λ , as shown in table 1. Thus, doubly-charged scalars can always couple to same-sign charged lepton pairs in a gauge invariant way independently of the EW multiplet they belong to, although in general with suppressed coefficients. On the other hand, doubly and singly-charged scalar decays are a priori related, even though in practice these relations only have phenomenological implications in quite specific models, as we shall argue later.

There can be also operators of the same order but, for instance, quadratic in the scalar fields. However, they are in general further suppressed. For example, in the quadruplet case the LL interaction in eq. (2.5) can be also obtained from the dimension-5 operator $\mathcal{O}_{\Sigma \otimes \Sigma} = (\Sigma^\dagger O_a \Sigma)(\bar{L}_L \tau^a L_L)$ (where O_a are 4×4 matrices projecting the $\Sigma \otimes \Sigma$ product into the triplet representation), once the neutral Σ component gets a VEV, $\langle \Sigma^0 \rangle = v_\Sigma$. However, this VEV has to be rather small ($v_\Sigma < \text{few GeV}$) in order to satisfy, for instance, the constraint on the rho parameter ($\rho = 1.0004_{-0.0004}^{+0.0003}$ at the 95% C.L. [17]).¹² What in general justifies neglecting the contribution of this operator.

¹² As can be derived from its generic expression (to lowest order in perturbation theory)

$$\rho = \frac{\sum_k [T_k(T_k + 1) - Y_k^2] v_k^2}{\sum_k 2Y_k^2 v_k^2},$$

where k labels the scalar multiplets in the model, and T_k , Y_k and v_k are the corresponding isospin, hypercharge and VEV, respectively.

3 Gauge scalar interactions

Scalar multiplets, H , with doubly-charged components, H^{++} , transform non-trivially under the EW gauge group and thus couple to γ, Z and W (except in the singlet case which only has neutral interactions). The explicit form of the gauge couplings is derived from the corresponding kinetic Lagrangian

$$\mathcal{L}^K = (D^\mu H)^\dagger D_\mu H, \quad (3.1)$$

where the action of the covariant derivative D_μ reads (in standard notation)

$$\begin{aligned} D_\mu H &= \left(\partial_\mu + ig\vec{T} \cdot \vec{W}_\mu + ig'YB_\mu \right) H \\ &= \left(\partial_\mu + \frac{ig}{\sqrt{2}} (T^+ W_\mu^+ + T^- W_\mu^-) + \frac{ig}{c_W} (T_3 - s_W^2 Q) Z_\mu + ieQA_\mu \right) H, \end{aligned} \quad (3.2)$$

with s_W (c_W) the sine (cosine) of the EW mixing angle, $s_W = g'/\sqrt{g^2 + g'^2}$, $e = gs_W$ the (positive) electromagnetic gauge coupling and $Q = T_3 + Y$ the electric charge operator. In particular, expanding $\mathcal{L}^K$ and reordering terms, the trilinear and quartic gauge couplings involved in the calculation of the pair and associated production of doubly-charged scalars can be written

$$\begin{aligned} \mathcal{L}^K \rightarrow & \left\{ i \frac{g}{\sqrt{2}} \sqrt{(T-Y+2)(T+Y-1)} W_\mu^- [H^{++}(\partial^\mu H^-) - (\partial^\mu H^{++})H^-] \right. \\ & + i \left[2eA_\mu + \frac{g}{c_W} (2-Y-2s_W^2) Z_\mu \right] H^{++}(\partial^\mu H^{--}) \\ & + i \left[eA_\mu + \frac{g}{c_W} (1-Y-s_W^2) Z_\mu \right] H^+(\partial^\mu H^-) + \text{h.c.} \Big\} \\ & + g^2 [T(T+1) - (2-Y)^2] W_\mu^+ W^{-\mu} H^{++} H^{--} \\ & + \left\{ \frac{g}{\sqrt{2}} \sqrt{(T-Y+2)(T+Y-1)} W_\mu^- \left[3eA^\mu + \frac{g}{c_W} (3-2Y-3s_W^2) Z^\mu \right] H^{++} H^- + \text{h.c.} \right\} \\ & + \left[2eA_\mu + \frac{g}{c_W} (2-Y-2s_W^2) Z_\mu \right] \left[2eA^\mu + \frac{g}{c_W} (2-Y-2s_W^2) Z^\mu \right] H^{++} H^{--}. \end{aligned} \quad (3.3)$$

The first two lines describe the s -channel exchange of gauge bosons [82]; whereas all of them enter in the calculation of the vector-boson fusion (VBF) contribution (see next section). These couplings depend on the type of multiplet, i.e., on T and Y , the doubly-charged scalar belongs to, as do the corresponding cross-sections. In eq. (3.3) we have used eq. (2.1) but omitting superindices for easy reading. The doubly (2) and singly (1) charges have been also made explicit. In figures (tables) 2 and 3 we gather the Feynman diagrams and rules (couplings) for the scalar multiplets satisfying eq. (2.2), which are discussed below for illustration.

Quartic couplings involving neutral scalars H^0 , i.e., for $T^H \geq |T_3^{H^{++}} - 2|$, also mediate LNV doubly-charged scalar decays once the $LN = 2$ neutral component gets a VEV,

$$\mathcal{L}^K \rightarrow \frac{g^2}{2} \sqrt{(T+Y)(T+Y-1)(T-Y+2)(T-Y+1)} W_\mu^- W^{-\mu} H^{++} \langle H^0 \rangle. \quad (3.4)$$

Figure 2. Feynman diagrams and rules for gauge trilinear interactions of doubly (c) and singly (c') charged scalars. The arrows indicate the LN flow; whereas the $H^{++(+)}(p_1)$ and $H^{--(-)}(p_2)$ momenta are leaving the vertex.

Vertex	Singlet	Doublet	Triplet	Quadruplet	Quintuplet
c_W	0	$\frac{g}{\sqrt{2}}$	g	$\sqrt{\frac{3}{2}}g$	$\sqrt{2}g$
c_γ	$2e$	$2e$	$2e$	$2e$	$2e$
c_Z	$-2\frac{g}{c_W}s_W^2$	$\frac{g}{2c_W}(1-4s_W^2)$	$\frac{g}{c_W}(1-2s_W^2)$	$\frac{g}{2c_W}(3-4s_W^2)$	$\frac{2g}{c_W}(1-s_W^2)$
c'_γ	0	e	e	e	e
c'_Z	0	$-\frac{g}{2c_W}(1+2s_W^2)$	$-\frac{g}{c_W}s_W^2$	$\frac{g}{2c_W}(1-2s_W^2)$	$\frac{g}{c_W}(1-s_W^2)$

Table 2. Trilinear Scalar-Scalar-Vector ($\mathcal{SSV}$) couplings for doubly (c) and singly (c') charged scalars.

Figure 3. Feynman diagrams and rules for gauge quartic interactions of doubly and singly-charged scalars. The arrows indicate the LN flow.

Multiplets without neutral components can also decay into W pairs by mixing with other multiplets with a neutral component developing a VEV,¹³ or through quantum corrections. In order to establish LNV both types of decays $H^{\pm\pm} \rightarrow l^\pm l^\pm, W^\pm W^\pm$ must be observed. Otherwise, the scalar LN could be just 2 in the former case or 0 in the latter one, but

¹³This may be expected in generic ultraviolet completions. As a matter of fact, the effective operators in eq. (2.3) and the effective coupling to W pairs can be obtained from renormalizable theories with further scalars, in particular with a heavy triplet and/or singlet, after integrating them out [29–31].

<i>Vertex</i>	Singlet	Doublet	Triplet	Quadruplet	Quintuplet
c_{WW}	0	$\frac{g^2}{2}$	g^2	$\frac{3g^2}{2}$	$2g^2$
$c_{W\gamma}$	0	$\frac{3}{\sqrt{2}}eg$	$3eg$	$3\sqrt{\frac{3}{2}}eg$	$3\sqrt{2}eg$
c_{WZ}	0	$\frac{-3g^2s_W^2}{\sqrt{2}c_W}$	$\frac{g^2}{c_W}[1-3s_W^2]$	$\sqrt{\frac{3}{2}}\frac{g^2}{c_W}[2-3s_W^2]$	$\frac{3\sqrt{2}}{c_W}g^2[1-s_W^2]$
$c_{\gamma\gamma}$	$4e^2$	$4e^2$	$4e^2$	$4e^2$	$4e^2$
$c_{\gamma Z}$	$-8e^2\frac{s_W}{c_W}$	$\frac{2eg}{c_W}[1-4s_W^2]$	$\frac{4eg}{c_W}[1-2s_W^2]$	$\frac{2eg}{c_W}[3-4s_W^2]$	$\frac{8eg}{c_W}[1-s_W^2]$
c_{ZZ}	$4g^2\frac{s_W^4}{c_W^2}$	$\frac{g^2}{4c_W^2}[1-4s_W^2]^2$	$\frac{g^2}{c_W^2}[1-2s_W^2]^2$	$\frac{g^2}{4c_W^2}[3-4s_W^2]^2$	$\frac{4g^2}{c_W^2}[1-s_W^2]^2$

Table 3. Quartic Scalar-Scalar-Vector-Vector ($SSVV$) couplings for VBF doubly-charged pair and associated production.

still conserved. In general, it makes sense to look for decays into lepton as slow as into gauge boson pairs because although the decay into vector bosons is proportional to a VEV which turns out to be minuscule, decays into same-sign charged lepton pairs are stringently constrained by current limits on lepton flavor violation.

4 Doubly-charged scalar production

Doubly-charged scalars are pair produced with EW strength through the s -channel exchange of photons and Z bosons, $pp \rightarrow \gamma^*/Z^* \rightarrow H^{++}H^{--}$.¹⁴ Similarly, its associated production with a singly-charged scalar proceeds through W exchange, $pp \rightarrow W^{\pm*} \rightarrow H^{\pm\pm}H^{\pm}$. Both cross-sections depend on the quantum numbers of the scalar multiplet the doubly-charged scalar belongs to, as do the corresponding couplings in eq. (3.3). In figure 4 we plot them as a function of the doubly-charged scalar mass $m_{H^{++}}$ for the five cases in figure 2 and table 2 and for $\sqrt{s} = 8$ TeV (the corresponding cross-sections for $\sqrt{s} = 14$ TeV are shown in [82]¹⁵).

Both final states can be also produced through VBF but accompanied by two extra jets, $pp \rightarrow H^{++}H^{--}jj$, $H^{\pm\pm}H^{\mp}jj$. These processes are sub-leading as expected from gauge-coupling power counting. The contributing diagrams are depicted in figure 5. Although this mechanism is enhanced because the initial partons are both valence quarks, its size stays below 10% of the s -channel production, being almost negligible for low scalar masses.

¹⁴They can be also singly produced through the effective coupling $H^{\pm\pm}W_\mu^\mp W^{\mu\mp}$ in eq. (3.4). Although, due to the stringent constraints on its size, for instance, implied by the measured value of the ρ parameter (see footnote 12), this production mechanism is in general suppressed to a negligible level, unless a bizarre cancellation is invoked to avoid these bounds [92].

¹⁵The scalar triplet cross-sections at 7 TeV are plotted, for example, in [60, 61]. For an earlier comparison of the Tevatron and LHC potential see [93].

Figure 4. Doubly-charged scalar pair (left) and associated (right) production at the LHC for $\sqrt{s} = 8$ TeV, with scalars H belonging to a real quintuplet Ω , a quadruplet Σ , a triplet Δ , a doublet χ or a singlet κ with hypercharges 0, 1/2, 1, 3/2 and 2, respectively.

Figure 5. Feynman diagrams contributing to VBF doubly-charged scalar pair production.

Figure 6. Ratio of the VBF to the pair (left) and associated (right) production cross-sections as a function of the doubly-charged scalar mass for the same multiplets and energy as in figure 4.

In figure 6 we plot the ratio of the VBF to the s -channel production cross-section for the same scalar multiplets as in figure 4.¹⁶ As can be observed in the figure VBF starts to be important only for large masses, when the valence quark parton distribution functions (PDFs) are relatively larger. Anyway, this production mechanism is always present and should be taken into account, although it is possible to separate the corresponding events by requiring two forward extra jets. (Collinear γ production can be calculated using the Weizsaecker-Williams approximation [95–97], giving also similar contributions [94].)

¹⁶The ratio for pair production but including only the VBF of two photons, $\gamma\gamma \rightarrow H^{++}H^{--}$, is quite similar as previously shown in [94]. These partonic cross-sections diverge when the photon is emitted collinearly and then are sensitive to the limit on the corresponding partonic transverse momentum. We assume as a conservative value $p_T^j > 10$ GeV throughout the paper.

Besides, there can be further NP contributions, although in general further suppressed. For example, effective operators contributing to these processes are suppressed by at least two powers of the cutoff scale Λ (see appendix A). As a matter of fact, these contact interactions arise naturally in the context, for instance, of non-minimal Composite Higgs Models [98–102]. On the other hand, possibly s –channel contributions are in addition suppressed by small far off-shell propagators;¹⁷ while t –channel contributions are forbidden, since doubly-charged scalars do not have trilinear couplings to a quark pair.

In summary, although there can be a variety of production mechanisms, in general the main production cross-sections are fixed by the scalar multiplet quantum numbers in eq. (3.3); and thus their measurement would allow to determine the total isospin and hypercharge of the scalar multiplet which the doubly-charged scalar belongs to [82–84]. In the signal simulations below we add the s –channel as well as the VBF production, multiplying the former by a K-factor equal to 1.25 [103].

5 Monte Carlo implementation

In order to extend the searches of doubly-charged scalars to generic models and to perform phenomenological studies allowing for LNV signals, we have implemented the couplings in eqs. (2.5), (3.3) and (3.4) in `MadGraph5` [104].¹⁸ The explicit expressions of these couplings for the five scalar multiplets of lowest isospin and hypercharge containing a doubly-charged component, $(T, Y) = (0, 2), (1/2, 3/2), (1, 1), (3/2, 1/2), (2, 0)$, have been included in an `UFO` model by means of `FeynRules v1.6` [105]. It can be downloaded from <http://cafpe.ugr.es/index.php/pages/other/software>. A set of `Param Cards` for `MadGraph5` can be also found there for all scalar masses considered in the simulations in the text. The K-factor for the leading pair and associated s –channel production can be as large as 20–30% [103]. This and the VBF contributions can be added at will, although the latter are only sizable for large doubly-charged scalar masses.

In order to take into account the scalar decays mediated by the $\mathcal{S}\mathcal{F}\mathcal{F}$ and $\mathcal{S}\mathcal{V}\mathcal{V}$ interactions in eqs. (2.5) and (3.4), respectively, it is enough to implement the triplet decay. This is so because all those decays can be mimicked by the triplet one, being only required an additional rescaling of the corresponding rate. In particular, as chirality does not play any role in the subsequent analyses,¹⁹ we only need to consider LL interactions, i.e., $\Delta^{++}\overline{l}_{Li}^c l'_{Lj}$ and $\Delta^{+}\overline{l}_{Li}^c \nu'_{Lj}$, with the six possible lepton combinations $ee, e\mu, e\tau, \mu\mu, \mu\tau$ and $\tau\tau$ in the doubly-charged case and only three $e\nu_e, \mu\nu_\mu$ and $\tau\nu_\tau$ in the singly-charged one, for neutrinos manifest as missing energy in the detector and hence cannot be distinguished. A new parameter `myyuk` has been introduced to account for the Yukawa couplings. The scalar decays into W pairs mediated by the interactions $\Delta^{\pm\pm}W^\pm W^\pm$ and $\Delta^\pm W^\pm Z^0$ also require the introduction of a new parameter, which we name `myvev`, proportional to the

¹⁷This is also the case for the Higgs s -channel exchange, whose rate is much smaller than the one from the exchange of gauge bosons, unless the effective Higgs coupling to doubly-charged scalars is unnaturally large (equal to λv with λ much larger than one).

¹⁸Further details for its use are given in appendix B.

¹⁹The helicity of the final leptons can not be measured, except eventually for the tau lepton [106].

corresponding (LNV) VEV. These two parameters have been fixed to values which make the branching ratios into leptons and into bosons of similar magnitude. This guarantees that the total cross-section never vanishes, avoiding numerical problems. These values also imply a narrow scalar width, and hence the width measured from the invariant-mass distribution is dominated by reconstruction effects. Allowing for scalar decays into lepton and boson pairs, non-trivial limits on LNV, not considered yet in experimental searches, can be obtained. We will focus on pair and associated production with one scalar decaying into lepton and the other into boson pairs.²⁰ Although no analysis has been designed to look for these specific LNV processes, current searches for doubly-charged resonances decaying only into same-sign charged lepton pairs are already sensitive to this channel. Given that no event excess has been observed, they can be also used to set the first bounds on LNV scalars. We discuss them in detail later.

MadGraph5 parton level events are passed through Pythia v6 [109] to include initial and final state radiation, as well as fragmentation and hadronization, and through Delphes v3 [110] for fast-detector simulation. Jets are reconstructed using an anti-kt algorithm with FastJet v3 [111]. Finally, MadAnalysis v5 [112] is used to perform the analyses. The full sequence of software for Monte Carlo simulation, which has been extensively tested, is available to generalize our results.

6 Current analyses

CMS [60] and ATLAS [61] have provided limits on doubly-charged scalars decaying into same-sign e and μ pairs using samples with four and three isolated charged leptons, as no event excess has been observed. In this section we reproduce their results at $\sqrt{s} = 7$ TeV using Monte Carlo simulations in order to test our codes. We mimic the detailed analysis by CMS in [60], which besides includes doubly-charged scalar decays into τ leptons. We then estimate the expected bounds for 8 TeV and an integrated luminosity of 20 fb^{-1} also assuming that no event excess is observed. In this analysis we apply the same cuts and efficiencies as for 7 TeV, although the LHC collaborations will certainly optimize both and will provide better limits based on real data. However, no large differences should be expected. In the next section and as another application, we extend these analyses to obtain the corresponding limits on the LNV processes $pp \rightarrow H^{\pm\pm} H^{\mp\mp} \rightarrow \ell^{\pm} \ell^{\pm} W^{\mp} W^{\mp}$ and $pp \rightarrow H^{\pm\pm} H^{\mp} \rightarrow \ell^{\pm} \ell^{\pm} W^{\mp} Z$, also estimating for both processes the bounds which shall be eventually obtained by the LHC experiments after the next run at 14 TeV.

In order to compare with data, the SM backgrounds must be also included. Since the signal efficiencies for $\sqrt{s} = 7$ and 8 TeV are similar (we find differences of at most $\sim 10\%$), we assume that this is also the case for the backgrounds and estimate them at 8 TeV scaling the CMS values in table 5 in [60] by a factor of

$$\frac{\sigma_8}{\sigma_7} \times \frac{\mathcal{L}_8}{\mathcal{L}_7} \approx 1.2 \times 4.08, \quad (6.1)$$

²⁰There is a different and much more involved way to look for LNV: performing the usual four lepton analyses and also to search for four vector bosons compatible with the same resonance production. This second final state, however, can be only disentangled from the background for very low masses [107, 108].

<i>Process</i>	$\sigma[7 \text{ TeV}] \text{ @ NLO (pb)}$	$\sigma[8 \text{ TeV}] \text{ @ NLO (pb)}$	$\sigma[14 \text{ TeV}] \text{ @ NLO (pb)}$
Drell-Yan	$(21 \pm 1) \times 10^2$	$(25 \pm 2) \times 10^2$	$(48 \pm 4) \times 10^2$
W^+W^-	41 ± 1	50 ± 2	107 ± 4
$W^\pm Z$	17 ± 1	21 ± 1	47 ± 2
ZZ	5.5 ± 0.2	6.6 ± 0.2	14.5 ± 0.4
$t\bar{t}$	123 ± 15	176 ± 22	475 ± 9

Table 4. Cross-sections for the main backgrounds considered in the analyses, computed at the NLO in QCD. At the parton level, events have been generated using **aMC@NLO** [113] with the cut $p_T^j > 10 \text{ GeV}$ (in addition and only for Drell-Yan, l^+l^- , we require $p_T^l > 20 \text{ GeV}$, $m_{l+l^-} > 30 \text{ GeV}$ and $\Delta R_{l+l^-} > 0.4$). The 5 flavor scheme has been used, and the partonic events linked to Pythia by means of the MC@NLO method [114], with the subsequent decay of the $t\bar{t}$ and di-boson final states into their different decay products.

where the first figure is the average of the ratios of the corresponding cross-sections for the largest backgrounds in table 4, Drell-Yan, W^+W^- , $W^\pm Z$, ZZ and $t\bar{t}$ production, and the second one is the luminosity ratio 20/4.9. The number of observed events is assumed to be equal to the number of expected background events. (We assume the same at 7 TeV for the scalar masses not gathered in table 5 in [60], taking also in this case the number of expected background events to be equal to the number of events predicted by the SM.²¹) For the LHC run at 14 TeV we have instead simulated the complete set of backgrounds in table 4 for an integrated luminosity of 100 fb^{-1} , assuming again that the observed number of events coincides with the expected number of background events after cuts.

CMS has performed six different analyses using four and three isolated charged lepton samples, $\ell\ell\ell\ell$ and $\ell\ell\ell$, with $\ell = e, \mu$ and τ_h (although at least two of them must be same-sign electrons or muons). In the first three studies doubly-charged scalars are pair produced and assumed to decay 100% of the time into $\ell^\pm\ell^\pm$, $\ell^\pm\tau^\pm$ and $\tau^\pm\tau^\pm$ in turn. The cuts and efficiencies are optimized for each case, and events are generated for different scalar masses. In table 5 we collect the corresponding cuts and our estimates of the cumulative efficiencies cut-by-cut for a low (200 GeV) and a relatively large (500 GeV) scalar mass for illustration. As pointed out by CMS, the efficiencies slightly increase with the scalar mass. On the other hand, the mass window is the most effective cut, implying a large reduction of the background. In the $\ell^\pm\tau^\pm\ell^\mp\tau^\mp$ and $\tau^\pm\tau^\pm\tau^\mp\tau^\mp$ analyses tau decays into hadrons are also taking into account. Hadronic tau leptons (τ_h) are tagged by a pure geometrical

²¹We assume that the number of events for $m_{H^{\pm\pm}} = 500 \text{ GeV}$ is the same as for 450 GeV in [60], and no background events are expected and none is observed after the corresponding selection cuts for $m_{H^{\pm\pm}} = 600$ and 700 GeV.

method in **Delphes**, becoming a jet a potential τ_h if a generated τ is found within a fixed distance ΔR of the jet axis.

Analogously, in table 6 we gather the corresponding cuts and estimated cumulative efficiencies for the three charged lepton sample and doubly-charged scalar associated production. Similarly to the doubly-charged scalar, the singly-charged scalar $H^\pm$ is assumed to decay 100% of the time into $\ell^\pm \nu_\ell$, $\ell^\pm \nu_\tau (\tau^\pm \nu_\ell)$ and $\tau^\pm \nu_\tau$ in turn. In order to be conservative we make use of the $\ell^\pm \tau^\pm \tau^\mp \nu_\ell$ efficiency for $\ell^\pm \tau^\pm \ell^\mp \nu_\tau$, too, although the former is smaller due to the required extra tau branching ratio into electrons and muons. As emphasized in ref. [60], the efficiencies for the three-lepton analyses are near a factor 2 smaller than for the corresponding four-lepton analyses.

Using the estimated efficiencies for seven doubly-charged scalar masses, $m_{H^{\pm\pm}} = 200, 300, 400, 450, 500, 600$ and 700 GeV,²² and the expected background and observed number of events, we can draw the corresponding exclusion plots as no event excess has been observed. In figure 7 from top to bottom we plot the 95% C.L. limits (see appendix C for the pertinent definitions) for the analyses in tables 5 (left) and 6 (right).²³ The bounds very much coincide with those reported by CMS for a doubly-charged scalar mediating the *see-saw* of type II, ranging from 400 to 200 GeV depending on the scalar decay mode. (What in particular implies that the efficiencies we use are consistent within the fast simulation algorithm uncertainties with those obtained by CMS.) However, if the doubly-charged scalar belongs to other type of multiplet, its cross-sections vary and so the bounds on its mass. We superimpose in the plots the corresponding predictions for the five multiplets discussed before, increasing the limits with the cross-section (total isospin). The most stringent bounds are then obtained for the quintuplet, being typically ~ 150 GeV higher than for the triplet (*see-saw* of type II).

Similarly, we can estimate the limits which may be obtained at $\sqrt{s} = 8$ TeV for an integrated luminosity of 20 fb^{-1} , assuming that no departure from the SM is observed. The efficiencies calculated at 8 TeV for the six decay modes and the same CMS cuts are very similar to those at 7 TeV for the seven scalar masses. In figure 8 we show the corresponding exclusion plots.²⁴ Typically, all bounds are around ~ 100 GeV higher.

7 Final state-dependent efficiencies and LNV bounds at the LHC

A convenient way of giving a more complete information on the experimental bounds on NP is also providing the full set of efficiencies for the different processes considered. In this way the limits on new models can be in general estimated without performing new analyses. For instance, in the case at hand, just giving the bounds on the processes with the doubly-charged scalars decaying 100% of the time into $\ell^\pm \ell^\pm$ ($pp \rightarrow H^{\pm\pm} H^{\mp\mp} \rightarrow \ell^\pm \ell^\pm \ell^\mp \ell^\mp$) and into $\ell^\pm \tau^\pm$ ($pp \rightarrow H^{\pm\pm} H^{\mp\mp} \rightarrow \ell^\pm \tau^\pm \ell^\mp \tau^\mp$), in turn, one can estimate the corresponding limits on a model where the doubly-charged scalars decay half of the time into each of these

²²Efficiencies for intermediate masses can be obtained by interpolation.

²³Exclusion limits for intermediate masses are obtained by splines interpolation.

²⁴The number of background and observed events at 8 TeV is estimated scaling the 7 TeV values with eq. (6.1). Exclusion limits for intermediate masses are obtained by splines interpolation.

Cuts		Efficiencies	
		$m_{\text{H}\pm\pm} = 200 \text{ GeV} \quad 500 \text{ GeV}$	
$\ell^\pm \ell^\pm \ell^\mp \ell^\mp$			
Basic cuts	$p_T^{\ell_{1(2)}} > 20(10) \text{ GeV}, \eta^\ell < 2.5$	68	72
Total p_T	$\sum p_T^\ell > 0.6 m_{\text{H}\pm\pm} + 130 \text{ GeV}$	99	100
Mass window	$m_{\ell^\pm \ell^\pm} \in [0.9 m_{\text{H}\pm\pm}, 1.1 m_{\text{H}\pm\pm}]$	92	89
Total		62	64
$\ell^\pm \tau^\pm \ell^\mp \tau^\mp$			
Basic cuts	$p_T^{\ell_{1(2)}} > 20(10) \text{ GeV}, \eta^\ell < 2.5$	16	23
Total p_T	$\sum p_T^\ell > m_{\text{H}\pm\pm} + 100 \text{ or } > 400 \text{ GeV}$	82	99
Z veto	$ m_{\ell^\pm \ell^\pm} - m_Z > 10 \text{ GeV}$	85	92
Mass window	$m_{\ell^\pm \ell^\pm} \in [0.5 m_{\text{H}\pm\pm}, 1.1 m_{\text{H}\pm\pm}]$	81	66
Total		9.0	14
$\tau^\pm \tau^\pm \tau^\mp \tau^\mp$			
Basic cuts	$p_T^{\ell_{1(2)}} > 20(10) \text{ GeV}, \eta^\ell < 2.5$	3.0	5.0
Total p_T	$\sum p_T^\ell > 120 \text{ GeV}$	99	100
Z veto	$ m_{\ell^\pm \ell^\pm} - m_Z > 50 \text{ GeV}$	82	86
$\Delta\phi$	$\Delta\phi_{\ell^\pm \ell^\pm} < 2.5$	80	80
Total		2.0	3.5
$\ell^\pm \ell^\pm \ell^\mp \nu_\ell$			
Basic cuts	$p_T^{\ell_{1(2)}} > 20(10) \text{ GeV}, \eta^\ell < 2.5$	78	82
Total p_T	$\sum p_T^\ell > 1.1 m_{\text{H}\pm\pm} + 60 \text{ GeV}$	84	87
Z veto	$ m_{\ell^\pm \ell^\pm} - m_Z > 80 \text{ GeV}$	59	90
$\Delta\phi$	$\Delta\phi_{\ell^\pm \ell^\pm} < m_{\text{H}\pm\pm} (\text{GeV})/600 + 1.95$	86	94
Mass window	$m_{\ell^\pm \ell^\pm} \in [0.9 m_{\text{H}\pm\pm}, 1.1 m_{\text{H}\pm\pm}]$	94	93
Total		31	56
Expected background		0.99	0.14
Observed events		2	1

Cuts		Efficiencies	
		$m_H = 200 \text{ GeV}$	500 GeV
$\ell^\pm \tau^\pm \ell^\mp \nu_\tau (\tau^\mp \nu_\ell)$			
Basic cuts	$p_T^{\ell_{1(2)}} > 20(10) \text{ GeV}, \eta^\ell < 2.5$	16	20
Total p_T	$\sum p_T^\ell > 0.85 m_{H^{\pm\pm}} + 125 \text{ GeV}$	38	48
Z veto	$ m_{\ell^\pm \ell^\pm} - m_Z > 80 \text{ GeV}$	85	93
E_T^{miss}	$E_T^{\text{miss}} > 20 \text{ GeV}$	98	99
$\Delta\phi$	$\Delta\phi_{\ell^\pm \ell^\pm} < m_{H^{\pm\pm}}(\text{GeV})/200 + 1.15$	83	100
Mass window	$m_{\ell^\pm \ell^\pm} \in [0.5 m_{H^{\pm\pm}}, 1.1 m_{H^{\pm\pm}}]$	91	89
Total		3.8	7.9
Expected background		1.51	0.18
Observed events		3	1

Table 5. Applied cuts to the four isolated charged lepton sample $\ell\ell\ell\ell$, with two $\ell = e$ or μ and the other two e, μ or τ_h , and efficiency percentage for each successive cut for the final states $\ell^\pm \ell^\pm \ell^\mp \ell^\mp$, $\ell^\pm \tau^\pm \ell^\mp \tau^\mp$ and $\tau^\pm \tau^\pm \tau^\mp \tau^\mp$ and two representative scalar masses. The basic transverse momentum cuts are imposed on the two leptons, electrons or muons, required by the trigger; whereas the transverse momentum sum is over the four charged leptons, as the generic pseudo-rapidity cut. In the three analyses no background events are expected and no event is observed for an integrated luminosity of 4.9 fb^{-1} at $\sqrt{s} = 7 \text{ TeV}$.

two final states, but without being able to use the $\ell^\pm \ell^\pm \ell^\mp \tau^\mp$ events and hence half of the statistics. With this in mind, we collect the efficiencies for the four-lepton and three-lepton analyses in tables 7 and 8, respectively, for all two-body decays of the doubly and singly-charged scalars, $\ell\ell, \ell\tau, \tau\tau, WW$ and $\ell\nu, \tau\nu, WZ$, and seven scalar masses, $m_{H^{\pm\pm}} = 200, 300, 400, 450, 500, 600$ and 700 GeV . As $H^{\pm\pm}$ ($H^\pm$) has 4 (3) different two-body decay modes, there are a priori $4 \times 4 + 4 \times 3 = 28$ final states and hence ϵ_{ij} efficiencies. But for pair production $\epsilon_{ij} = \epsilon_{ji}$, being then only 10 of the 16 efficiencies independent. In table 7 we omit the $H^{\pm\pm} H^\mp$ decay modes because all their efficiencies are below $\sim 0.1\%$. For both analyses, the applied cuts are common to all final states, thus not optimizing the different modes but the full set. Following CMS analyses for benchmark points we choose the cuts for $\ell^\pm \tau^\pm \ell^\mp \tau^\mp$ in table 5 and for $\ell^\pm \tau^\pm \ell^\mp \nu_\tau (\tau^\mp \nu_\ell)$ in table 6 to calculate the efficiencies in tables 7 and 8, respectively. They grow with the scalar mass because the cuts stay fixed. For example, electrons and muons are harder for larger scalar masses and hence they satisfy more easily not only the basic cuts but the cuts on $\sum p_T^\ell$ and on E_T^{miss} . The latter is particularly stringent for pair produced events because in this case the missing energy comes either from missed leptons or from missing energy measurement errors and hence,

$\tau^\pm \tau^\pm \tau^\mp \nu_\tau$			
Basic cuts	$p_T^{\ell^{1(2)}} > 20(10) \text{ GeV}, \eta^\ell < 2.5$	4.2	8.3
Total p_T	$\sum p_T^\ell > m_{H^{\pm\pm}} - 10 \text{ or } > 200 \text{ GeV}$	55	91
Z veto	$ m_{\ell^\pm \ell^\pm} - m_Z > 50 \text{ GeV}$	80	85
E_T^{miss}	$E_T^{\text{miss}} > 40 \text{ GeV}$	86	97
$\Delta\phi$	$\Delta\phi_{\ell^\pm \ell^\pm} < 2.1$	84	84
Mass window	$m_{\ell^\pm \ell^\pm} \in [0.5m_{H^{\pm\pm}} - 20 \text{ GeV}, 1.1m_{H^{\pm\pm}}]$	76	42
Total		1.0	2.2
Expected background		1.51	0.18
Observed events		3	1

Table 6. Applied cuts to the three isolated charged lepton sample $\ell\ell\ell$, with two $\ell = e$ or μ and the third one e, μ or τ_h , and efficiency percentage for each successive cut for the final states $\ell^\pm \ell^\pm \ell^\mp \nu_\ell$, $\ell^\pm \tau^\pm \ell^\mp \nu_\tau (\tau^\mp \nu_\ell)$ and $\tau^\pm \tau^\pm \tau^\mp \nu_\tau$ and two representative scalar masses. The basic transverse momentum cuts are imposed on the two leptons, electrons or muons, required by the trigger; whereas the transverse momentum sum is over the three charged leptons, as the generic pseudo-rapidity cut. The expected background events as well as the observed ones for an integrated luminosity of 4.9 fb^{-1} at $\sqrt{s} = 7 \text{ TeV}$ are also listed.

$\epsilon_{ij}^{(4\ell)}$	$m_{H^{\pm\pm}} = 200$	300	400	450	500	600	700
$\ell\ell\ell\ell$	53	62	67	68	69	70	71
$\ell\ell\ell\tau$	23	27	30	31	32	32	33
$\ell\ell\tau\tau$	7.2	8.7	9.4	9.4	9.5	9.7	9.9
$\ell\ell WW$	0.6	1.1	1.3	1.3	1.4	1.4	1.5
$\ell\tau\ell\tau$	9.0	11	13	14	14	14	14
$\ell\tau\tau\tau$	2.0	2.6	3.3	3.4	3.4	3.4	3.7
$\ell\tau WW$	0.2	0.4	0.6	0.6	0.6	0.7	0.7
$\tau\tau\tau\tau$	0.3	0.5	0.6	0.7	0.7	0.7	0.7
$\tau\tau WW$	0.1	0.1	0.2	0.2	0.2	0.2	0.2
$WWWW$	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1

Table 7. Efficiency percentages $\epsilon_{ij}^{(4\ell)}$ for different scalar masses (in GeV) and final modes ij for four-lepton analyses at $\sqrt{s} = 7 \text{ TeV}$ and the $\ell^\pm \tau^\pm \ell^\mp \tau^\mp$ cuts in table 5. We omit the efficiencies for associated production processes because all of them are below $\sim 0.1\%$, as these final states do not pass the cuts imposed on the four-lepton sample.

$\epsilon_{ij}^{(3\ell)}$	$m_{H^{\pm\pm}} = 200$	300	400	450	500	600	700
$\ell\ell\ell\ell$	2.7	5.0	7.5	8.7	9.5	10	11
$\ell\ell\ell\tau$	17	25	31	33	34	34	35
$\ell\ell\tau\tau$	18	24	28	29	30	31	32
$\ell\ell WW$	6.9	13	17	18	19	20	21
$\ell\tau\ell\tau$	14	19	24	24	25	26	26
$\ell\tau\tau\tau$	4.9	6.9	8.6	8.6	9.0	9.2	9.3
$\ell\tau WW$	2.3	4.6	6.3	6.6	6.7	7.0	7.2
$\tau\tau\tau\tau$	0.8	1.2	1.4	1.4	1.4	1.6	1.6
$\tau\tau WW$	0.4	0.8	1.0	1.0	1.1	1.2	1.2
$WWWW$	< 0.1	0.3	0.4	0.4	0.5	0.5	0.5
$\ell\ell\ell\nu$	38	53	64	66	68	70	72
$\ell\ell\tau\nu$	18	26	31	33	34	35	36
$\ell\ell WZ$	5.0	8.5	11	12	13	13	14
$\ell\tau\ell\nu$	15	21	26	27	28	29	29
$\ell\tau\tau\nu$	3.8	5.4	7.4	7.6	7.9	8.4	8.5
$\ell\tau WZ$	1.6	2.9	3.9	4.0	4.1	4.5	4.5
$\tau\tau\ell\nu$	2.3	3.4	4.3	4.5	4.6	4.8	4.9
$\tau\tau\tau\nu$	0.4	0.6	0.7	0.8	0.8	0.8	0.9
$\tau\tau WZ$	0.2	0.4	0.6	0.6	0.6	0.6	0.7
$WW\ell\nu$	0.3	0.7	1.0	1.0	1.0	1.1	1.2
$WW\tau\nu$	0.1	0.2	0.3	0.4	0.4	0.4	0.4
$WWWZ$	< 0.1	0.1	0.1	0.2	0.2	0.2	0.2

Table 8. Efficiency percentages $\epsilon_{ij}^{(3\ell)}$ for different scalar masses (in GeV) and final modes ij for three-lepton analyses at $\sqrt{s} = 7$ TeV and the $\ell^\pm\tau^\pm\ell^\mp\nu_\tau(\tau^\mp\nu_\ell)$ cuts in table 6.

Figure 7. Estimated 95% C.L. limits on the final modes $\ell^\pm \ell^\pm \ell^\mp \ell^\mp$, $\ell^\pm \tau^\pm \ell^\mp \tau^\mp$, $\tau^\pm \tau^\pm \tau^\mp \tau^\mp$ (left column from top to bottom) and $\ell^\pm \ell^\pm \ell^\mp \nu_\ell$, $\ell^\pm \tau^\pm \ell^\mp \nu_\ell (\tau^\mp \nu_\tau)$, $\tau^\pm \tau^\pm \tau^\mp \nu_\tau$ (right column from top to bottom) as a function of the doubly-charged scalar mass H^{++} for $\sqrt{s} = 7$ TeV and $\mathcal{L}_{\text{int}} = 4.9 \text{ fb}^{-1}$ at LHC. There are superimposed the corresponding cross-sections for the five scalar multiplets of lowest isospin and hypercharge containing a doubly-charged component, a singlet κ , a doublet χ , a triplet Δ , a quadruplet Σ and a quintuplet Ω .

it is relatively small. In general the missing energy and the total transverse momentum in the event are correlated, too. Whereas the Z veto is also less restrictive for larger masses, in contrast with the mass window constraint for events involving tau leptons. Changes on parton shower and detector simulation inputs stand for variations in the efficiencies of around $\sim 15\%$. This is the total uncertainty which we assign to the estimates in tables 7 and 8. They agree with the efficiencies quoted in [60] when comparison is possible.

No dedicated searches for LNV signals have been performed in doubly-charged scalar production analyses up to now. However, the ATLAS and CMS searches for doubly-charged scalars using four and three-lepton samples are also sensitive to LNV final states. As already emphasized, we can make use of the pertinent efficiencies in tables 7 and 8 in

Figure 8. The same as in figure 7 but for 8 TeV and 20 fb⁻¹.

order to derive the corresponding bounds, for no event excess has been observed in the four and three-lepton analyses. We restrict ourselves to the LNV final states $\ell\ell WW$ and $\ell\ell WZ$ because they have the largest efficiencies (see tables 7 and 8), showing the results for the three-lepton analysis only for it is by far the most sensitive to LNV. For a given integrated luminosity the number of signal events $N_{\ell\ell WW(\ell\ell WZ)}^{(3\ell)}$ is estimated multiplying $\mathcal{L}_{\text{int}}$ by the corresponding cross-section, $\sigma_{NC(CC)}$ for doubly-charged scalar pair (associated) production, times the model branching ratios into $\ell\ell$ and WW (WZ) times the selection efficiency:

$$\begin{aligned}
 N_{\ell\ell WW}^{(3\ell)} &= \mathcal{L}_{\text{int}} \times \sigma_{NC} \times \text{BR}(H^{\pm\pm} \rightarrow \ell^{\pm}\ell^{\pm}) \times \text{BR}(H^{\mp\mp} \rightarrow W^{\mp}W^{\mp}) \times \epsilon_{\ell\ell WW}^{(3\ell)}, \\
 N_{\ell\ell WZ}^{(3\ell)} &= \mathcal{L}_{\text{int}} \times \sigma_{CC} \times \text{BR}(H^{\pm\pm} \rightarrow \ell^{\pm}\ell^{\pm}) \times \text{BR}(H^{\mp} \rightarrow W^{\mp}Z) \times \epsilon_{\ell\ell WZ}^{(3\ell)}. \quad (7.1)
 \end{aligned}$$

Making use of these expressions and the number of expected background events and observed events we can derive the exclusion plots for $\sigma_{NC(CC)}$ (see appendix C). In figure 9 we plot the corresponding limits assuming that the heavy scalars have the same decay rate

Figure 9. 95% C.L. limits on the LNV channels $pp \rightarrow H^{\pm\pm}H^{\mp\mp} \rightarrow \ell^{\pm}\ell^{\pm}W^{\mp}W^{\mp}$ (left) and $pp \rightarrow H^{\pm\pm}H^{\mp\mp} \rightarrow \ell^{\pm}\ell^{\pm}W^{\mp}Z$ (right) as a function of the $H^{\pm\pm}$ mass for $\sqrt{s} = 7, 8$ and 14 TeV and $\mathcal{L}_{\text{int}} = 4.9, 20$ and 100 fb^{-1} at LHC, respectively (from top to bottom). There are superimposed the corresponding cross-sections for the five scalar multiplets of lowest isospin and hypercharge containing a doubly-charged component: the singlet κ , the doublet χ , the triplet Δ , the quadruplet Σ and the quintuplet Ω .

(50%) into light (first two families) lepton and gauge boson pairs. We superimpose the cross-sections for the different doubly-charged multiplet assignments conveniently normalized by the assumed branching ratios: $1/2$ for pair and $1/4$ for associated production. The exclusion plots for $\ell\ell WW$ ($\ell\ell WZ$) are shown on the left (right). From top to bottom we gather the LNV bounds at 7, 8 and 14 TeV. The number of expected background and observed events for the first two energies are the same as for the $\ell^{\pm}\tau^{\pm}\ell^{\mp}\nu_{\tau}(\tau^{\mp}\nu_{\ell})$ three-lepton analysis in the previous section; whereas for 14 TeV we assume them to be equal, finding for the backgrounds in table 4 with the same cuts a total of 42, 37, 18, 15, 9, 7 and 0 events for an integrated luminosity of 100 fb^{-1} and $m_{H^{\pm\pm}} = 200, 300, 400, 450, 500, 600$ and 700 GeV , respectively. In tables 9 and 10 we collect the efficiencies at this

$\epsilon_{ij}^{(4\ell)}$	$m_{H^{\pm\pm}} = 200$	300	400	450	500	600	700
$llll$	54	62	66	68	69	69	70
$\ell\ell WW$	0.6	0.9	1.1	1.4	1.4	1.4	1.5
$WWWW$	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1
$lll\nu$	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1
$\ell\ell WZ$	< 0.1	0.1	0.1	0.1	0.1	0.1	0.1
$WW\ell\nu$	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1
$WWWZ$	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1	< 0.1

Table 9. Efficiency percentages $\epsilon_{ij}^{(4\ell)}$ for different scalar masses (in GeV) and final modes ij for four-lepton analyses at $\sqrt{s} = 14$ TeV and the $\ell^\pm\tau^\pm\ell^\mp\tau^\mp$ cuts in table 5.

$\epsilon_{ij}^{(3\ell)}$	$m_{H^{\pm\pm}} = 200$	300	400	450	500	600	700
$llll$	3.9	6.9	10	11	12	13	14
$\ell\ell WW$	7.4	14	18	20	21	22	23
$WWWW$	< 0.1	0.3	0.4	0.5	0.6	0.7	0.7
$lll\nu$	40	55	66	68	70	72	74
$\ell\ell WZ$	5.2	9.3	13	13	14	15	16
$WW\ell\nu$	0.3	0.8	1.0	1.1	1.1	1.2	1.3
$WWWZ$	< 0.1	0.2	0.2	0.3	0.2	0.3	0.3

Table 10. Efficiency percentages $\epsilon_{ij}^{(3\ell)}$ for different scalar masses (in GeV) and final modes ij for three-lepton analyses at $\sqrt{s} = 14$ TeV and the $\ell^\pm\tau^\pm\ell^\mp\nu_\tau(\tau^\mp\nu_\ell)$ cuts in table 6.

energy for four and three-lepton analyses for $H^{\pm\pm} \rightarrow \ell^\pm\ell^\pm, W^\pm W^\pm$ and $H^\pm \rightarrow \ell^\pm\nu_\ell, W^\pm Z$ for completeness, although only the efficiencies $\epsilon_{\ell\ell WW, \ell\ell WZ}^{(3\ell)}$ for the three-lepton analysis (table 10) enter in the calculation of the LNV bounds in figure 9.

At 7 TeV and with an integrated luminosity $\mathcal{L}_{\text{int}} = 4.9 \text{ fb}^{-1}$ LHC has in general no sensitivity to the LNV signals considered. But the expected bounds at 8 TeV with $\mathcal{L}_{\text{int}} = 20 \text{ fb}^{-1}$ range from ~ 200 to 500 GeV depending on the scalar multiplet. These limits can be up to $\sim 500 \text{ GeV}$ larger at 14 TeV with an integrated luminosity of 100 fb^{-1} . Several comments are in order, however: (i) These estimates will be improved by the experimental collaborations when cuts and efficiencies are optimized for these searches. (ii) LNV processes are in general rare and as previously emphasized, only in special regions in parameter space they are relatively large with almost half of the events from doubly-charged scalar pair and associated production violating LN. This is what we have assumed to draw figure 9. If the branching ratios are different we have to normalize the H cross-sections accordingly to read the corresponding limit from the figure. (iii) Relatively large LNV signals are more natural in more elaborated models, as for example, those with neutrino masses generated radiatively [29–32, 73, 74].

Two last comments are in order:

- (i) LNV analyses must be improved by experimentalists not only doing a better job using real data but adapting the searches (cuts) to the signal characteristics.
- (ii) On the other hand, if no departure from the SM predictions is observed, one can use all final modes to constrain the model, independently of whether LN is or is not violated or the production mechanism. The number of signal events is in this case

$$N^{(A)} = \mathcal{L}_{\text{int}} \times \left[\sigma_{NC} \times \sum_{ij} \text{BR}(H^{\pm\pm} \rightarrow i) \times \text{BR}(H^{\mp\mp} \rightarrow j) \times \epsilon_{ij}^{(A)} + \sigma_{CC} \times \sum_{rs} \text{BR}(H^{\pm\pm} \rightarrow r) \times \text{BR}(H^{\mp} \rightarrow s) \times \epsilon_{rs}^{(A)} \right], \quad (7.2)$$

where the sum is over all $H^{\pm\pm}$ (i, j, r) and $H^{\mp}$ (s) final states contributing to analysis A . Here $A = 4\ell, 3\ell$. In general, all analyses can be also taken into account together when deriving generic limits on a given model using the CL_s method by assigning each analysis to a different bin. In our case this means to 2 bins in order to account for the 4ℓ and 3ℓ analyses.

8 Conclusions

If neutrino masses are Majorana, LN must be violated at some scale.²⁵ The important question at the LHC era is if it is broken at the TeV scale and hence, if LNV can be observed at the LHC. Among the simplest SM extensions which can give neutrinos a mass and predict new resonances at the LHC reach, the *see-saw* of type II provides the cleanest signal: in this case the mediator is a heavy scalar triplet of hypercharge 1, $(\Delta^{++}, \Delta^+, \Delta^0)$, which can resonate in the same-sign dilepton channel, $\Delta^{++} \rightarrow l^{\pm}l^{\pm}$. The production rate is of EW size, which is the largest possible because a priori this NP has no color, and

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²⁵Independently of whether it is gauged [115, 116] or not.

the decay products can be isolated electrons and muons with large momenta and missing energy. As these scalars have non-zero LN (equal to 2) and LN can be only very tiny broken in the SM sector, they must be pair produced. Thus, whatever the decays are, the final state must have at least four fermions typically carrying each of them one quarter of the total available energy.

In this paper we have extended the *see-saw* of type II and classified the scalar multiplets H which produce the same signals, paying special attention to their LNV decays, $pp \rightarrow H^{\pm\pm} H^{\mp\mp} \rightarrow \ell^{\pm} \ell^{\pm} W^{\mp} W^{\mp}$ and $pp \rightarrow H^{\pm\pm} H^{\mp} \rightarrow \ell^{\pm} \ell^{\pm} W^{\mp} Z$, not explicitly considered up to now. All those multiplets include doubly-charged scalars, being then possible to characterize H by the production and decay of their doubly-charged component. In particular, we have discussed the main doubly-charged scalar production mechanisms and worked out the corresponding Feynman rules in detail, providing a **MadGraph5** model for Monte Carlo simulations. Finally, as a practical application we have reproduced the current searches for doubly-charged scalars by CMS and ATLAS at $\sqrt{s} = 7$ TeV with $\mathcal{L}_{\text{int}} = 4.9 \text{ fb}^{-1}$ [60, 61]. Present limits on their mass can be as large as 400 GeV for the scalar triplet mediating the *see-saw* of type II, depending on the decay mode. These bounds raise up to 500 GeV for the scalar multiplet of highest isospin which we have worked out, a quintuplet of hypercharge 0, $(\Omega^{++}, \Omega^{+}, \Omega^0, \Omega^{-}, \Omega^{--})$. Using similar cuts we have also estimated the expected bounds at 8 TeV if no event excess is observed with an integrated luminosity of 20 fb^{-1} , being typically 150 GeV larger than those obtained at 7 TeV. These bounds can be translated to any general model if the efficiencies for the relevant (all) channels are known. We have provided a table of Monte Carlo estimates for these efficiencies, which we have then used to estimate the bounds on LNV for different LHC runs. These limits can be near the TeV for the most favorable case at 14 TeV with an integrated luminosity of 100 fb^{-1} (see figure 9). However, they are only significant if the doubly-charged scalars have similar decay rates into same-sign lepton and boson pairs, as it is more natural in less simple models [29–32, 73, 74]. At any rate, it must be emphasized that the analyses we have performed to obtain these bounds are not optimized for LNV searches. As a matter of fact, we have used the only analyses sensitive to doubly-charged scalar production experimentally available up to now. Hence, more sophisticated analyses taking into account the specific topology of LNV processes would have to be performed in order to extract all the information from future runs. A first attempt in this direction was given in [82–84].

We have assumed the most optimistic scenario in order to estimate the LHC potential for LNV searches. We not only assume that doubly-charged scalars have similar decay rates into same-sign lepton and gauge boson pairs, but that cascade decays within the multiplet are negligible (see footnotes 8 and 9 for further comments). Which requires that the scalar mixing is rather small [75–77]. It is thus worth to work out specific models where the optimal scenario adopted in our phenomenological approach is naturally realized.

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A Contact interactions

There can be also contact interactions generated by (even) heavier particles after integrating them out. The corresponding operators, however, are at least of dimension 6 and hence suppressed by two powers of the heavier effective scale Λ . What stands for a suppression of the doubly-charged scalar production cross-section at LHC of the order of $(m_{H^{++}}/\Lambda)^4$.

Indeed, the contact interactions of lowest dimension must involve the gauge invariant contraction of two gluon field strength tensors $G_a^{\mu\nu} G_{\mu\nu}^a$ or a colorless quark bilinear $\bar{Q}Q'$. In the former case the EW singlet of lowest dimension involving at least one scalar multiplet H with a doubly-charged component H^{++} is $H^\dagger H$. Thus, the corresponding lowest order operator $G_a^{\mu\nu} G_{\mu\nu}^a H^\dagger H$ is of dimension 6, being also the only one of this dimension and form.

On the other hand, there are two possible types of quark bilinears depending on the fermion chirality: $\bar{Q}_{L(R)} \gamma_\mu Q'_{L(R)}$ and $\bar{Q}_{L(R)} Q'_{R(L)}$, where $Q_L^{(l)} = q_L$ is the left-handed quark doublet and $Q_R^{(l)} = u_R, d_R$ are the corresponding right-handed singlets. But there is no invariant product of any of them with only one scalar multiplet H coupling the quark bilinear to the H doubly-charged component in the unitary gauge, and hence contributing to doubly-charged scalar production at hadron colliders. Besides, the vector quark bilinear requires an additional covariant derivative to ensure that the operator is Lorentz invariant. Then, in this case there is only one invariant operator of lowest dimension involving two H multiplets and not suppressed by a small quark Yukawa coupling: $H^\dagger (D^\mu H) \bar{Q}_{L(R)} \gamma_\mu Q'_{L(R)}$. Other operators of dimension 6 with the covariant derivative acting on the quark fields can be shown to be suppressed by a small quark Yukawa coupling using the equations of motion; while the operator with the covariant derivative acting on the other scalar multiplet can be written as a combination of all the other operators integrating by parts.

The lowest order operators involving the other quark bilinear and two H multiplets are also of dimension 6 because they must involve at least a ϕ factor to render the operator invariant under isospin transformations. Thus, all such operators resemble $\bar{q}_L \phi u_R H^\dagger H$, being hence suppressed after EWSB by a $v/m_{H^{++}}$ factor relative to $H^\dagger (D^\mu H) \bar{Q}_{L(R)} \gamma_\mu Q'_{L(R)}$. In summary, the largest contribution (at least formally) results from the operators of this form which can be, for instance, obtained after integrating out a heavy Z' . But their contribution is in general suppressed far away from the heavy resonance by a $(m_{H^{++}}/\Lambda)^2$ factor (as it is the case for $G_a^{\mu\nu} G_{\mu\nu}^a H^\dagger H$, too).

B Simulation and analyses

As indicated in the text, the signal is simulated using **MadGraph5** [104] supplemented with the corresponding **UFO** model including the scalar interactions (the scalar gauge couplings $\mathcal{SSV}$ and $\mathcal{SSVV}$ in eq. (3.3), and the scalar couplings to fermions $\mathcal{SFF}$ and to gauge bosons $\mathcal{SVV}$ in eqs. (2.5) and (3.4), respectively). The **UFO** model can be found in

<http://cafpe.ugr.es/index.php/pages/other/software> in the package LNV-Scalars_UFO.tar.gz. The doubly (singly) charged scalar components for the singlet, doublet, triplet, quadruplet and quintuplet are identified by **hs2**, **hd2**, **ht2**, **hq2** and **hk2** (²⁶ **hd1**, **ht1**, **hq1** and **hk1**), respectively. In addition, the package contains a set of **Param Cards** for the seven masses considered in our analysis, as well as a **README** file with examples for the production of doubly-charged scalars belonging to different multiplets and for several processes.

C CL_s method

We use the CL_s method for the calculation of the exclusion limits [117]. This method associates to a sample with N bins the statistic

$$Q = \prod_i \frac{(s_i + b_i)^{\tilde{n}_i} e^{-(s_i + b_i)}}{b_i^{\tilde{n}_i} e^{-b_i}} = e^{-\sum_i s_i} \prod_i \left[1 + \frac{s_i}{b_i} \right]^{\tilde{n}_i}, \quad (\text{C.1})$$

where b_i and s_i are the number of predicted background events and of expected signal events for bin i , respectively, and $\tilde{n}_i$ is the Poisson-distributed variable with mean $s_i + b_i$ (b_i) for the signal+background (background-only) hypothesis. The confidence estimators

$$\begin{aligned} \text{CL}_{s+b} &= 1 - \int_{Q_{\text{obs}}}^{\infty} P_{s+b}(Q) dQ \quad \text{and} \\ \text{CL}_b &= 1 - \int_{Q_{\text{obs}}}^{\infty} P_b(Q) dQ \end{aligned} \quad (\text{C.2})$$

are then defined integrating the corresponding density functions $P_{s+b}(Q)$ and $P_b(Q)$, respectively, up to Q_{obs} , which is the Q value for $\tilde{n}_i$ equal to the number of observed events n_i . Thus, parameter space regions excluded at the 95% confidence level (C.L.) can be obtained requiring that $\text{CL}_s \equiv \text{CL}_{s+b}/\text{CL}_b \leq 0.05$.

Either Q or $\log Q$ can be used as statistic, although the latter is more convenient for calculating CL_s if there is only one bin (counting experiment). In this case,

$$Q = e^{-s} \left(1 + \frac{s}{b} \right)^{\tilde{n}} \Rightarrow \log Q = -s + \tilde{n} \left(1 + \frac{s}{b} \right). \quad (\text{C.3})$$

Hence, $\log Q$ is distributed as $\tilde{n}$ up to a scale factor and a shift. But none of them changes the ratio of areas defining CL_s, being then easier to use the $\tilde{n}$ distribution as statistic.

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²⁶Since the singlet has no singly-charged component, no name is assigned for this case.

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