ERRATUM

Linear Functional Differential Equations of Neutral Type Asymptotically Autonomous.

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There is an error in the proof of Theorem 1 and this implies that the theorem is true under a little more general condition.

Page 29, line 16. Instead of: Assume that $\pi(t)$ has a continuous derivative, $|\dot{\pi}(t)| > 0$, $t \geq \sigma \geq 0$; should read: Assume that $\pi(t) \geq 0$, $\gamma(t) \geq 0$ are continuous.

Page, lines 8 to 12 should read:

$$\begin{aligned}
 & \left| \int_{\sigma}^t \exp[-\mu(t-\tau) - s(t, \tau)] \| -d_{\tau} T(t-\tau) X_0^q \| G(\tau, W_{\tau}) \right| = \\
 & = \left| \int_{\sigma}^t \exp[-s(t, x) - \beta(t-x)] \left\{ dx \int_{\sigma}^t \exp[-(\mu-\beta)(x-\tau)] \| -d_{\tau} T(x-\tau) X_0^q \|_1 \right\} G(x, W_x) \right| \leq \\
 & \leq K_3 \left\{ V \int_{\sigma}^t \exp[-(\mu-\beta)(t-\tau)] \| d_{\tau} T(t-\tau) X_0^q \| \right\} |G(\xi, W_{\xi})| \exp[-\beta(t-\xi)] \sup_{\tau \geq \sigma} \| W_{\tau} \| \leq \\
 & \leq K_3 \left\{ \int_0^{\infty} \| d_u T(u) X_0^q \| \exp[-(\operatorname{Re} \mu - \beta)u] \right\} \pi(\xi) \exp[-\beta(t-\xi)] \sup_{\tau \geq \sigma} \| W_{\tau} \| \leq \\
 & \leq K_3 M \pi(\xi) \exp[-\beta(t-\xi)] \sup_{\tau \geq \sigma} \| W_{\tau} \| \quad \sigma \leq \xi \leq t
 \end{aligned}$$

since by Theorem 4.3, p. 120 of D. HENRY, *J. of Diff. Eqs.*, **15**, (1974),

$\int_0^{\infty} \| d_u T(u) X_0^q \| \exp[-(\operatorname{Re} \mu - \beta)u] \leq M$. When $t \rightarrow \infty$ we have two possibilities: Or $\xi = \xi(t) \rightarrow \infty$ or $\xi \rightarrow \text{constant}$. If $\xi \rightarrow \text{constant}$ $\exp[-\beta(t-\xi)]\pi(\xi) \rightarrow 0$ for $t \rightarrow \infty$. If $\xi \rightarrow \infty$ for $t \rightarrow \infty$, as $\pi(\xi) \rightarrow 0$ for $\xi \rightarrow \infty$, $\pi(\xi) \exp[-\beta(t-\xi)] \rightarrow 0$ for $t \rightarrow \infty$, then we can write for simplicity $\pi(t)$ instead of $\pi(\xi) \exp[-\beta(t-\xi)]$.

Page 37, line 14. Delete $|\dot{u}(t)| > 0$.