as has been shown by Theorem 1.3, is a non-negative integer. Therefore, in view of (3.1) and (3.2), the functions $\Psi_j(\tau; g_l, h_l, 0, N_l)$ ($j = 1, 2$) satisfy condition (3) of the Definition. $\square$

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(Received 24.11.1994)

Author's address:

Faculty of Mechanics and Mathematics
I. Javakhishvili Tbilisi State University
2, University St., Tbilisi 380043
Republic of Georgia

CORRIGENDUM

In the paper "The weighted BMO condition and a constructive description of classes of analytic functions satisfying this condition" (*Georgian Math. J.* 3(1996), No. 3, 217–232) by L. Chikvinidze Theorem 1* is incorrectly formulated. We give the correct formulation:

Theorem 1*. *Theorem 1 remains valid when the class $\text{BMO}_p(G)$ is replaced by the class $\text{BMO}(G)$.*

The Editors