**Corrigendum of the paper by C. T. C. Wall (Liverpool):
Classification Problems in Differential Topology. V**

Inventiones math. 1, 355–374 (1966)

Theorem 14 (p. 371) of my paper should be amended to read:

A necessary and sufficient condition for the existence of an almost smooth embedding $M^6 \rightarrow \mathbb{R}^9$ (where M is a closed, smooth, simply-connected, spinor manifold with torsion-free homology) is that there exist a class $X \in 2H$ with $X^2 - p_1(M) = 0$. Here, $H = H^2(M; \mathbb{Z})$. The original proof is correct, but refers to the normal bundle, not the tangent bundle of M . The error was pointed out to me by ROY S. ROBERTS: it is well-known [see I. M. JAMES, Some embeddings of projective spaces, Proc. Camb. Phil. Soc. 55, 294–298 (1959)] that complex projective space $P_3(\mathbb{C})$ embeds smoothly in $\mathbb{R}^9$. The modified result contrasts with our criterion (Theorems 10 and 11) for immersions in $\mathbb{R}^8$: that there should exist $X \in 2H$ with $X^2 + p_1(M) = 0$.

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