CORRECTIONS FOR

ESTIMATORS FOR THE PARAMETERS OF A FINITE MIXTURE OF DISTRIBUTIONS

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(b: From the bottom)

Page	Line	Old	New
107	2b	g	$\mathcal{G}$
108	9 10 8b 11b	g	$\mathcal{G}$
109	9 4b	$F_i'(x, \theta_i)$ $F_j''(x, \theta_j)$	$F'(x, \theta_j)$ $F''(x, \theta_j)$
109	6b	set of functions	set of *bounded* functions
110	8b	$\log(n/\sqrt{n})$	$\sqrt{\frac{\log\log n}{n}}$
111	2	$\log(n/\sqrt{n})$	$\sqrt{\frac{\log\log n}{n}}$
112	10b	$\frac{1}{n}\sum_{p=1}^{n} M_{ij}^{(q)}(x_p)$	$\frac{1}{n}\sum_{q}\sum_{p=1}^{n} \xi_{ij} M_{ij}^{(q)}(x_p)$
	9b	$[M+\rho_n]$	M
	8b	Insert after J_{0ij}:	and $\lvert\xi_{ij}\rvert \leqq 1$ for all i, j, $\lvert\xi'\rvert<1$ and M is a bound of $M_{ij}^{(q)}(x)$.
	8b	Delete	$M=E_0 M_{ij}^{(q)}(X)$ and $\rho_n = M - \frac{1}{n}\sum_{p=1}^{n} M_{ij}^{(q)}(x_p)$
	5b	$\subset g$	$\subset \mathcal{G}$

114	10b	Therefore $\ddot{S}_n(\tilde{G})\rightarrow J_0$	$\lvert S_n(\tilde{G})-J_0\rvert$ $\leqq \lvert S_n(\tilde{G})-S_n(G_0)\rvert+\lvert S_n(G_0)-J_0\rvert$. Since $S_n(G)$ is a continuous function of G and $\tilde{G}$ is a convex combination of G_n and G_0 $\lvert S_n(\tilde{G})-S_n(G_0)\rvert\rightarrow 0$ and $\lvert S_n(G_0)-J_0\rvert\rightarrow 0$ by (i). Hence $\lvert S_n(\tilde{G})-J_0\rvert\rightarrow 0$.
115	2	Replace the entire line	By definition $\ddot{S}_n(\tilde{G})$ is bounded. Hence
	7	$g_1\lvert \sup_x P_G(x)-F_n(x)\rvert \frac{1}{n}\sum_{i=1}^{n}\frac{\partial F(x,\theta_1)}{\partial\theta_1}$	$g_1 \sup_x \lvert P_G(x)-F_n(x)\rvert C$, where C is a bound of $\frac{\partial F(x,\theta_i)}{\partial\theta_i}$.
	8 9	deletes the 2 lines	
	11	$\sup \lvert P_G(x)\rvert<\lambda(n)$ $\lambda(n)=\log n$	$\sup\lvert P_G(x)-F_n(x)\rvert<\lambda(n)$ $\lambda(n)=\sqrt{\log\log n}$
	12	Delete "for $\varepsilon>0$"	
	13	$\left\{E\left\lvert\frac{\partial F(x,\theta_1)}{\partial\theta_1}\right\rvert+\varepsilon\right\}\log n$	$g_1C_1\sqrt{\log\log n}$ where C_1 is a bound for $\frac{\partial F(x,\theta_1)}{\partial\theta_1}$.
	13	log n	$\sqrt{\log\log n}$
	14 15	$\max\left\{E_0\left\lvert\frac{\partial F(x,\theta_j)}{\partial\theta_j}\right\rvert+\varepsilon,\ j=1,2,\cdots,m\right\}$	$\max_j C_j$
	16	$\log n$	$\sqrt{\log\log n}$