

# CORRECTION OF SOME MISPRINTS IN OUR PAPER\*

Page	Line	Read	Instead of
74	7	$1/\ln \ln m$ ; further	$1/\ln \ln m$ . Further
75	11	$2\sqrt{\ln n} \delta_n$	$\sqrt{\ln n} \delta_n$
75	21	$\cong  \omega(\bar{z}_k) $	$\cong \omega(\bar{z}_k)$
76	13	Dropping $J_t$	Dropping $J_l$
79	3	$(n \cong n_1(q))$	$(n \cong n_0(q))$
80	7	$\sum_{i=1}^s f(x_{k_i}) l_{k_i}(x)$	$\sum_{i=1}^n f(x_{k_s}) l_{k_s}(x)$
81	(4.29)	$\sum_{t=1}^{\infty} \dots$	$\sum_{t=k}^{\infty} \dots$
83	24	that is	and that
86	(4.57)	$W = \bigcap_{k=1}^{\infty} \bigcup_{t=k}^{\infty} \dots$	$W = \bigcup_{k=1}^{\infty} \bigcup_{t=k}^{\infty} \dots$
87	5	by $W_{ti} = R_{ti}^{[01]}$ , $W = G^{[01]}$	by $W = G^{[01]}$
87	6	$G_e \cup W$	$G_e \cap W$
88	3	$\varepsilon$ and $M(M \cong 1, \text{integer})$	$\varepsilon$ and $M$
88	10	$\mu \left( \bigcap_{t=0}^{\infty} H_t \right) \cong \varepsilon$ , which	$\mu \left( \bigcup_{t=0}^{\infty} H_t \right) \cong \varepsilon$ wich
88	15		

Read:

$$|L_{u_1(x)}(f_1, x)| \cong A_1 > 1^3 \lambda_{N_0}^2 \text{ whenever } x \in S_1.$$

Here  $m_1 \cong u_1(x) \cong n_1$ . Now we take the polynomial  $\varphi_1(f_1, x)$  of degree  $\cong N_1$   $\|\varphi_1\| \cong 32$ , for which

$$|L_{u_1(x)}(\varphi_1, x)| \cong A_1 > 1^3 \lambda_{N_0}^2 \text{ whenever } x \in S_1$$

(see 4.4.4)."

instead of:

$$|L_{u_1(x)}(\varphi_1, x)| \cong A_1 > 1^3 \lambda_{N_0}^2 \text{ whenever } x \in S_1$$

(see 4.4.4)."

88	16	$q_k = 2^{-k}$ , $A_k > k^3 \lambda_{N_{k-1}}^2$	$\delta_k = 2^{-k}$ , $A_k > k \lambda_{N_{k-1}}^2$
88	18	$\cong 2 - 2q_k$	$\cong 2 - 2\delta_k$
88	23	$S = \bigcap_{k=1}^{\infty} \bigcup_{i=k}^{\infty} S_i$	$S = \bigcup_{k=1}^{\infty} \bigcap_{i=k}^{\infty} S_i$

\* P. ERDŐS and P. VÉRTESI, On the almost everywhere divergence of Lagrange interpolatory polynomials for arbitrary system of nodes, *Acta Math. Acad. Sci. Hungar.*, **36** (1980), 71–89.